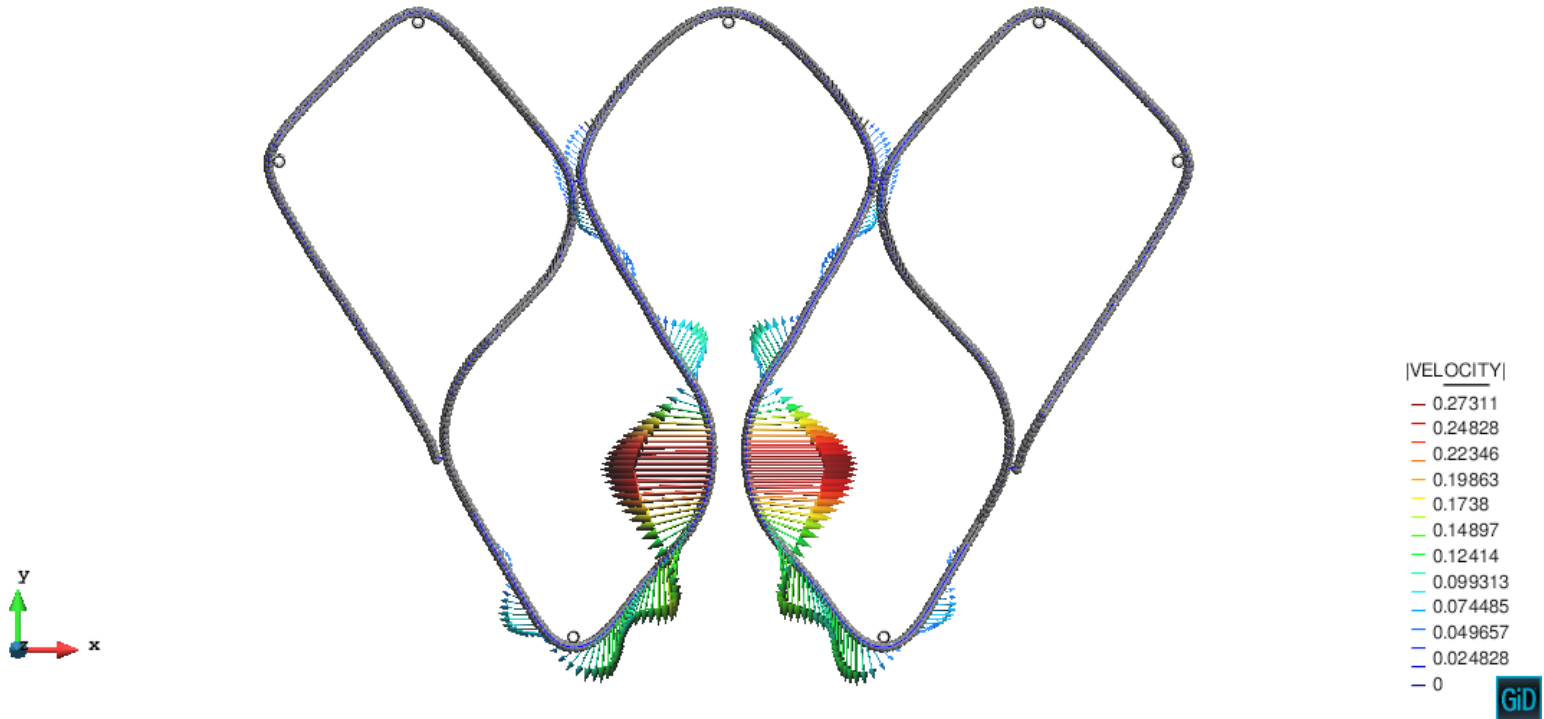


Numerical modelling with discrete elements of rockfall protection systems

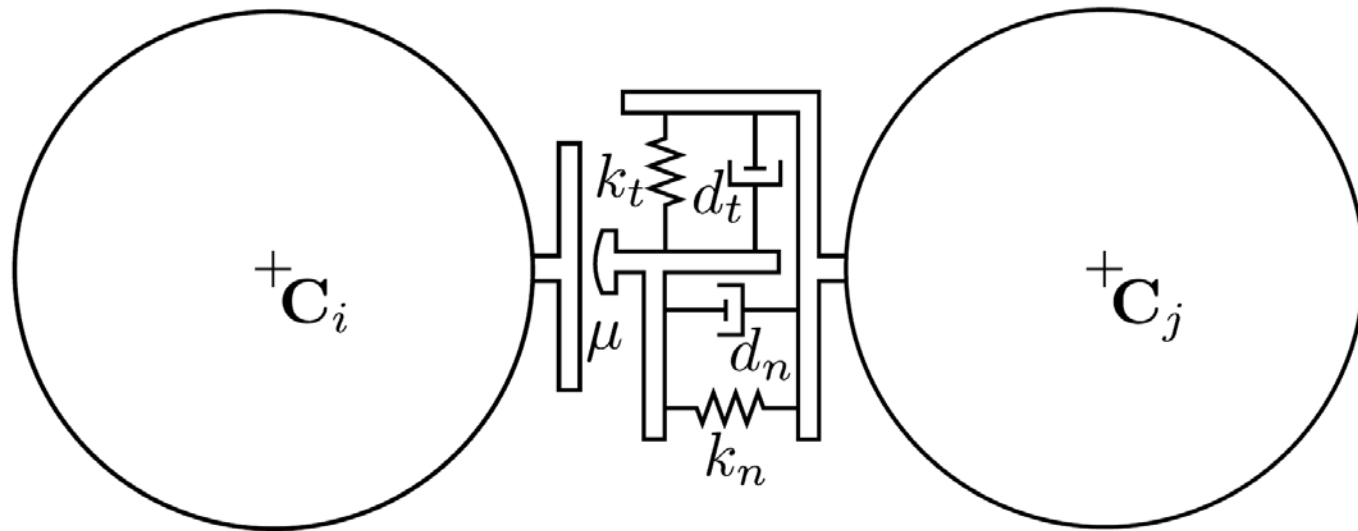


Authors: Joaquín Irazábal, Salvador Latorre, Fernando Salazar, Miguel Ángel Celigueta and Eugenio Oñate

Outline

1. Discrete Element Method (DEM)
2. Loose materials
3. Cohesive materials
4. Membranes and cables
5. Validation
6. Current work
7. Conclusions

Discrete Element Method (DEM)



Force balance

$$m_i \ddot{\mathbf{u}}_i = \mathbf{F}_i^{ext} + \sum_{j=1}^{n_i^c} \mathbf{F}^{ij}$$

Torque balance

$$\mathbf{I}_i \dot{\boldsymbol{\omega}}_i = \mathbf{T}_i^{ext} + \sum_{j=1}^{n_i^c} \mathbf{r}_c^{ij} \times \mathbf{F}^{ij}$$

Loose materials

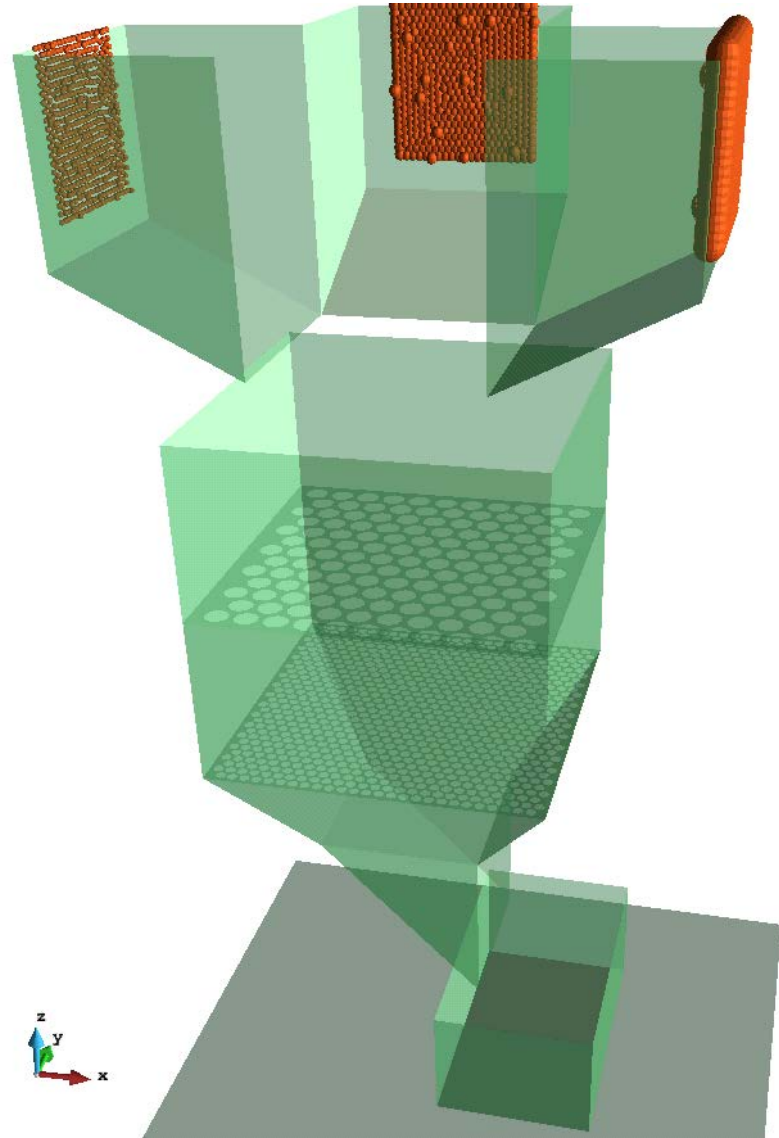
Evaluate:

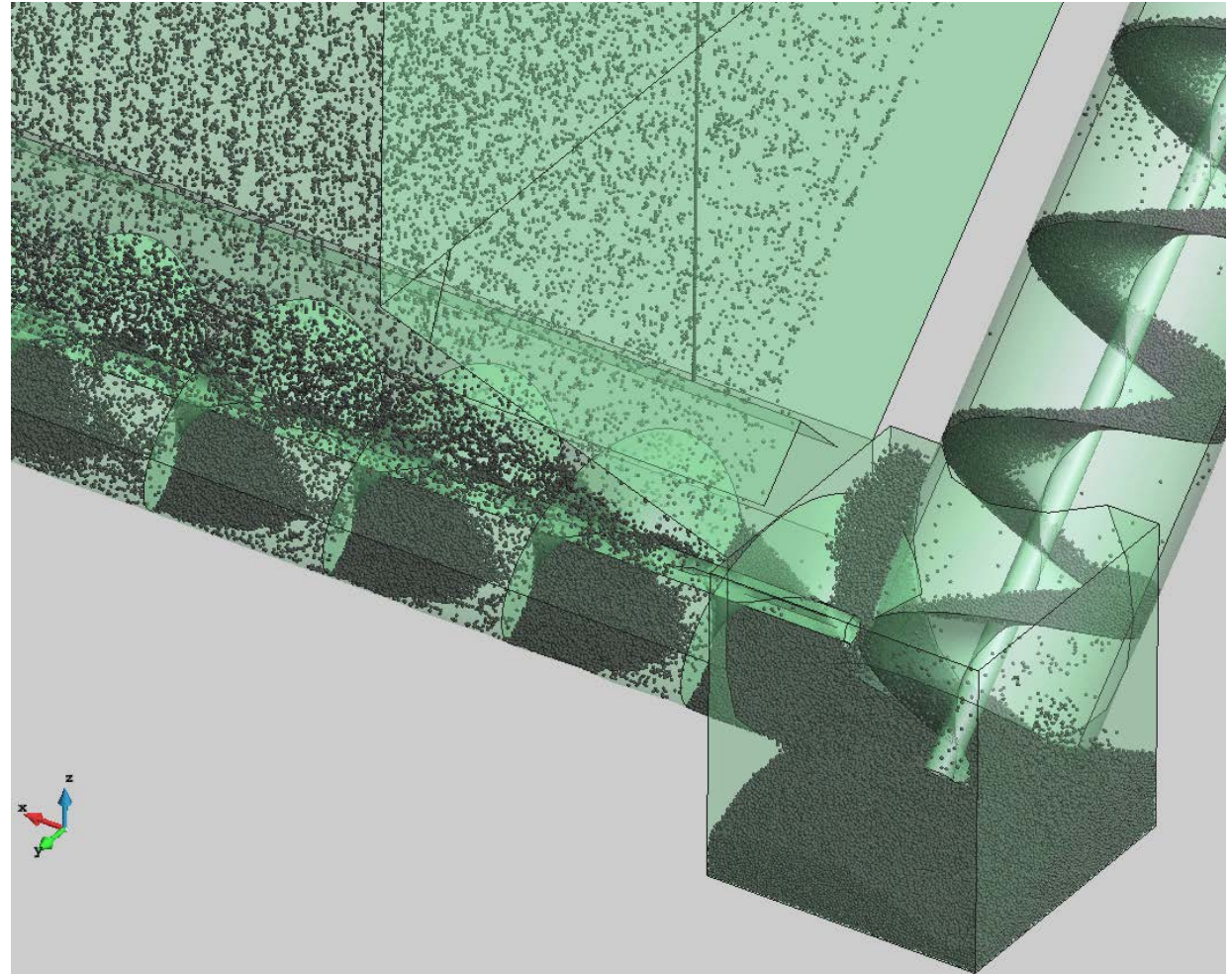
- Performance
- Power needed
- Wear
- Stresses

Help to design tools



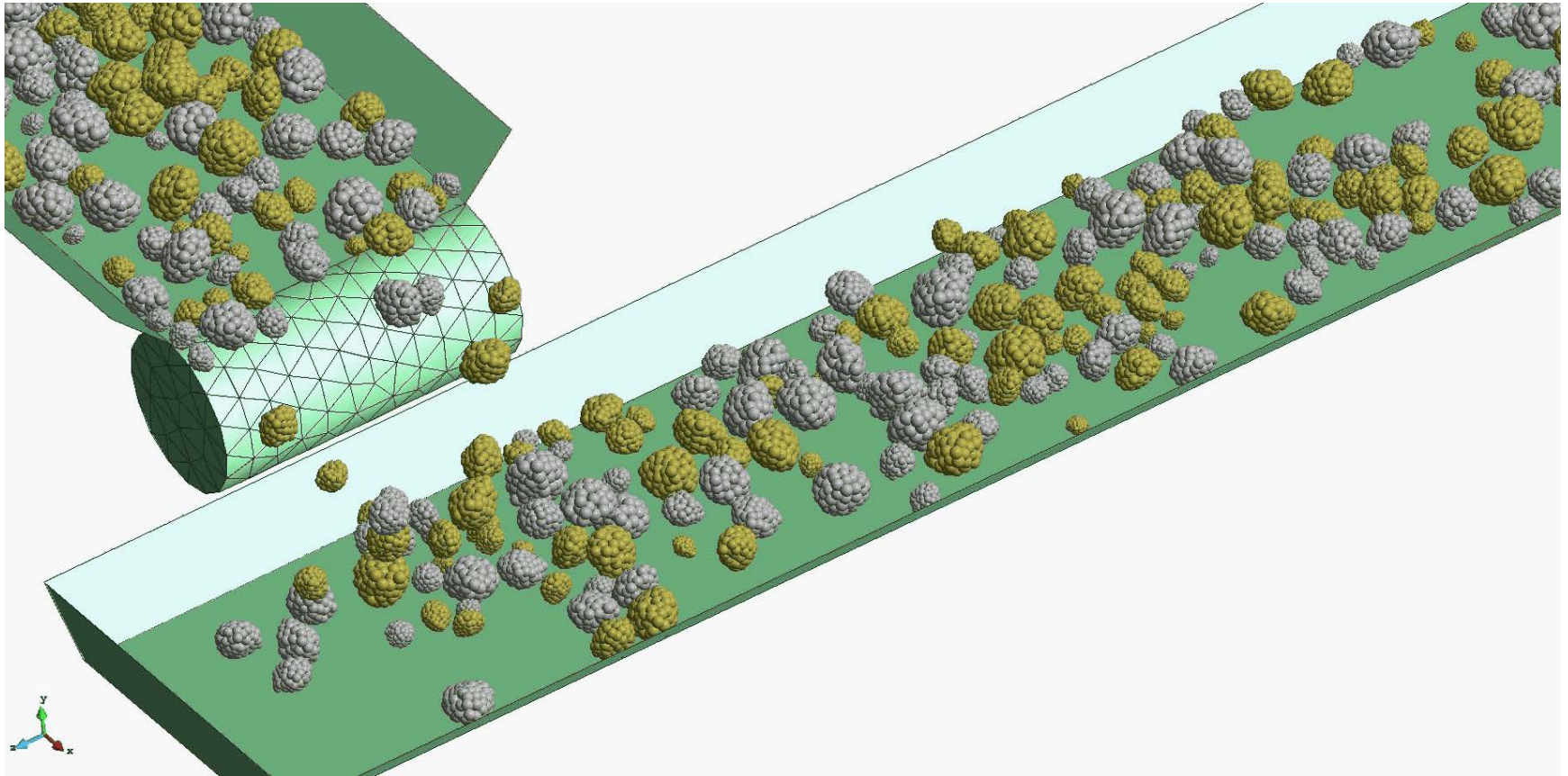
Sieve: 3 different sizes





Feeding and conveying

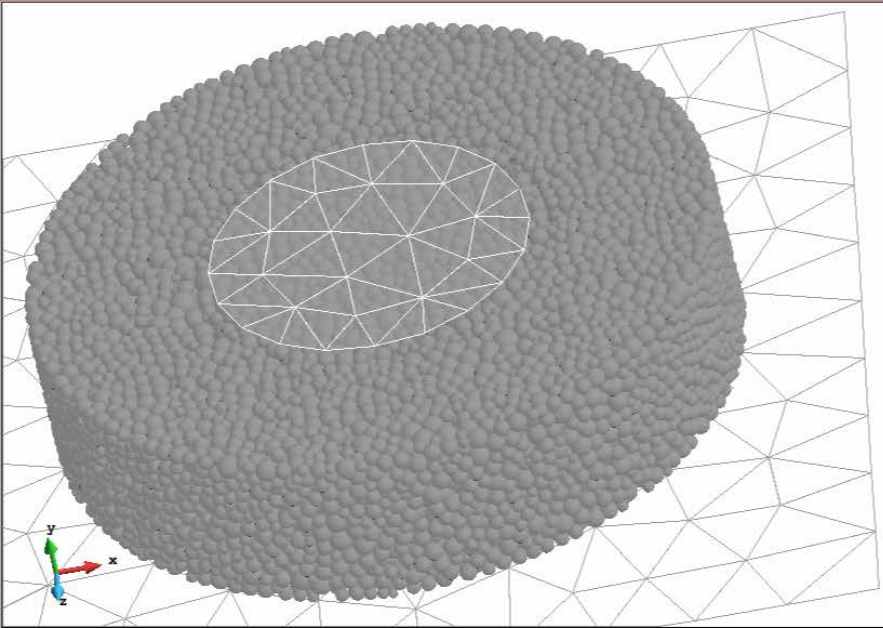
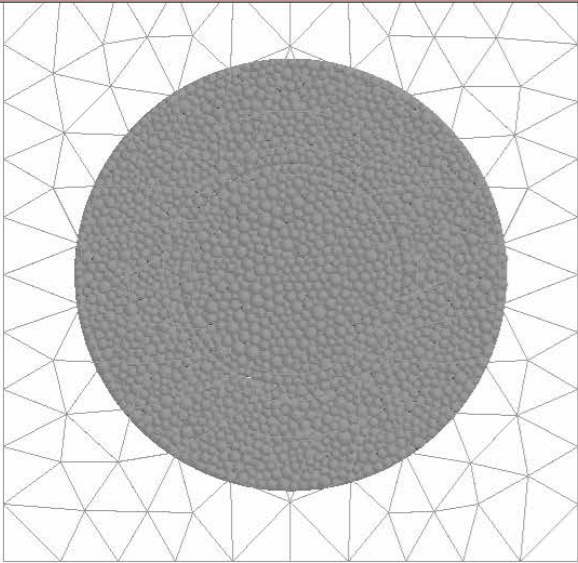
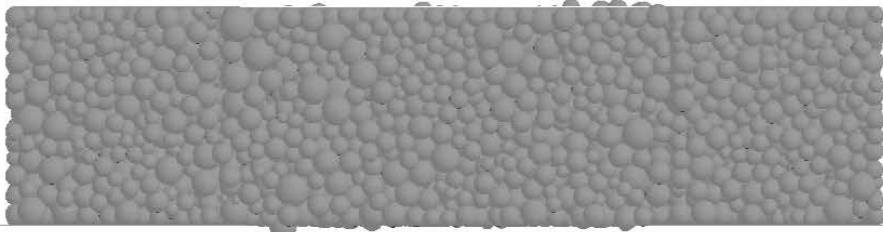
Non spherical particles: Conveyor belt with rocks of different sizes



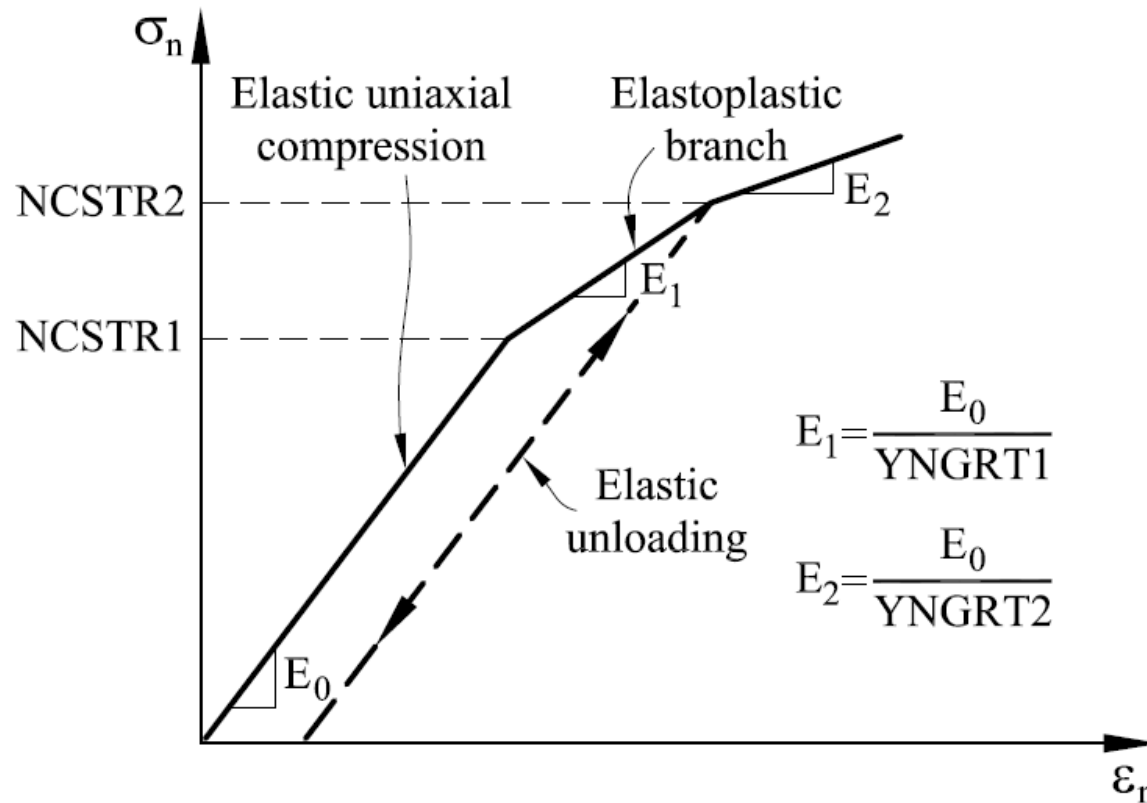
Cohesive materials

Shear test

Load

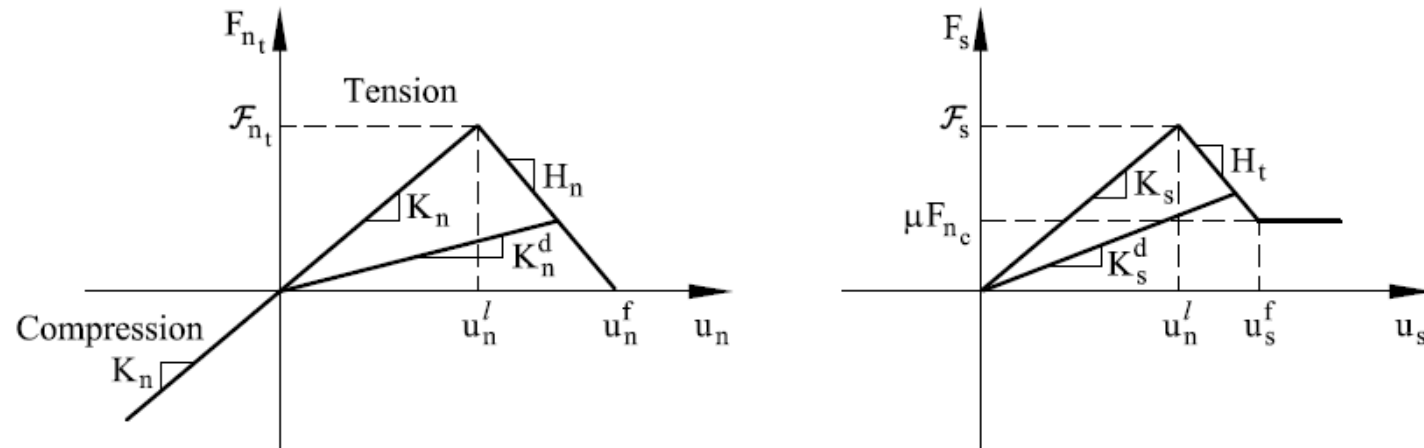


Elasto-Plastic Model in compression



Oñate, E., Zárate, F., Miquel, J., Santasusana, M., Celigueta, M.A., Arrufat, F., Gandikota, R., Valiullin, K., & Ring, L. (2015) A local constitutive model for the discrete element method. Application to geomaterials and concrete. *Comput Part Mech*, 2(2) 139–160.

Damage model in tension



Normal (tensile) direction

For $0 < d_s \leq 1$: $F_{n_t} = (1 - d_n)K_n u_n = K_n^d u_n$ with $K_n^d = (1 - d_n)K_n$

For $d_n \geq 1$: $F_{n_t} = 0$

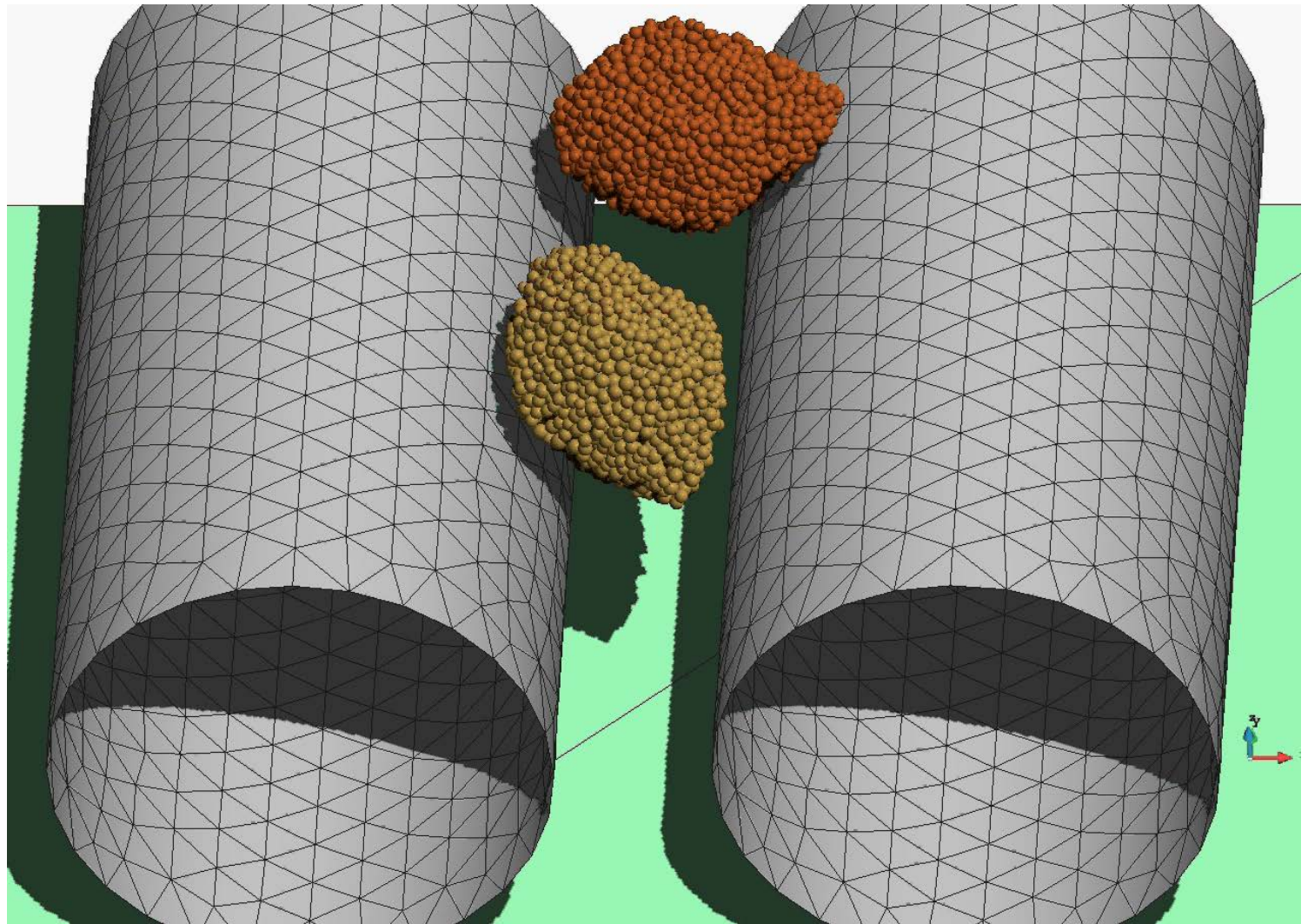
Tangential direction

For $0 < d_s \leq 1$: $F_s = (1 - d_s)K_s u_s = K_s^d u_s$ with $K_s^d = (1 - d_s)K_s$

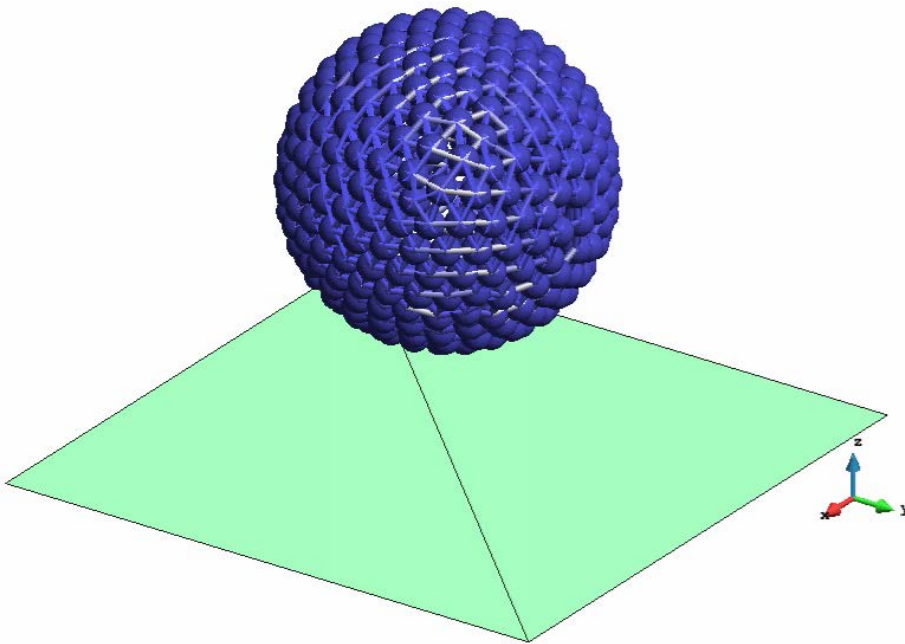
For $d_s > 1$: $F_s = \mu F_{n_c}$

Oñate, E., Zárata, F., Miquel, J., Santasusana, M., Celigueta, M.A., Arrufat, F., Gandikota, R., Valiullin, K., & Ring, L. (2015) A local constitutive model for the discrete element method. Application to geomaterials and concrete. *Comput Part Mech*, 2(2) 139–160.

Crushing



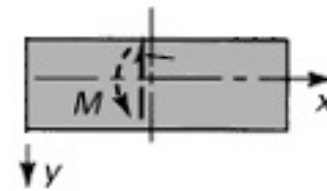
Membranes and cables



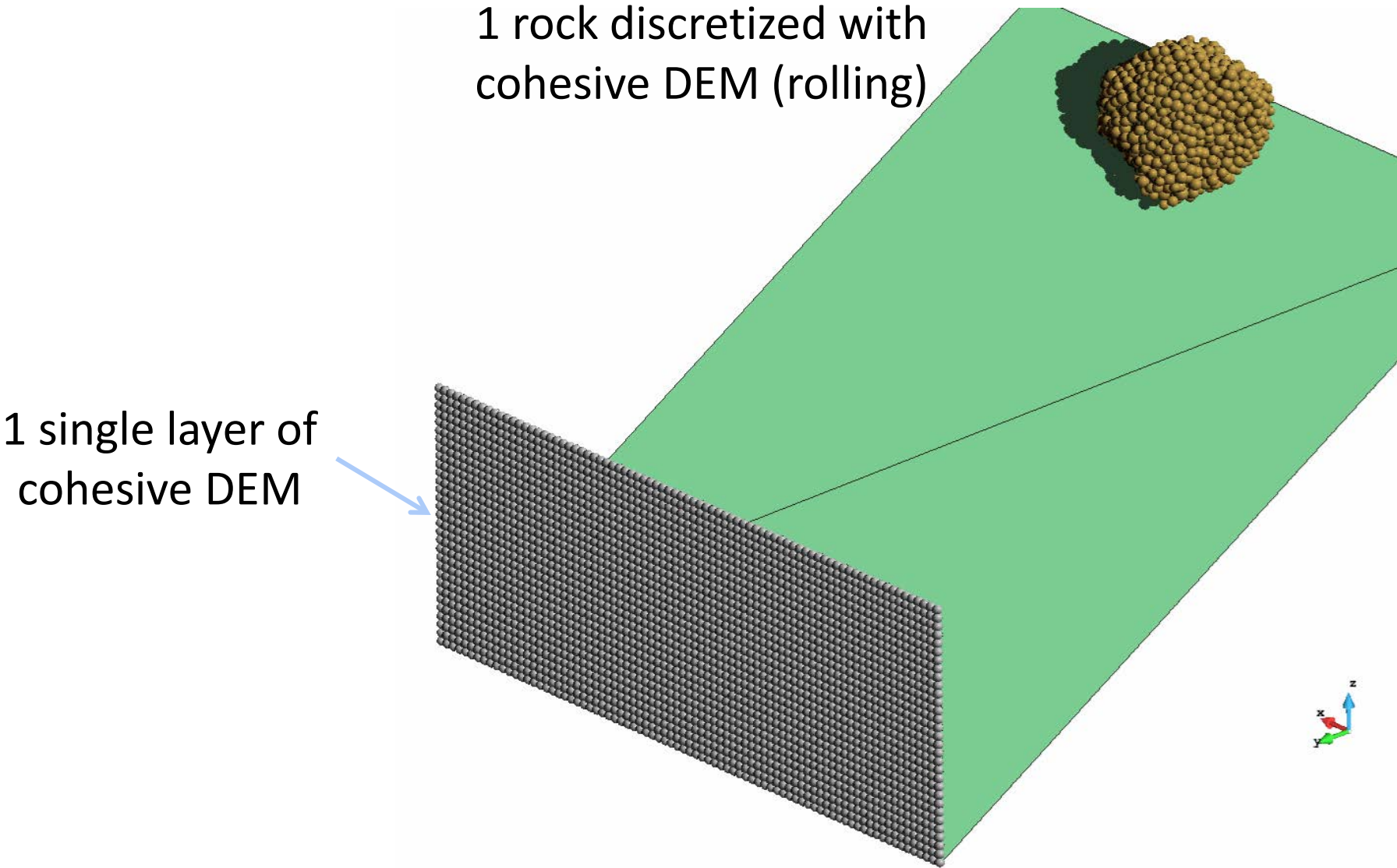
Axial loading: $\sigma_x = \frac{P}{A}$



Torsion: $\tau = \frac{T\rho}{J}$

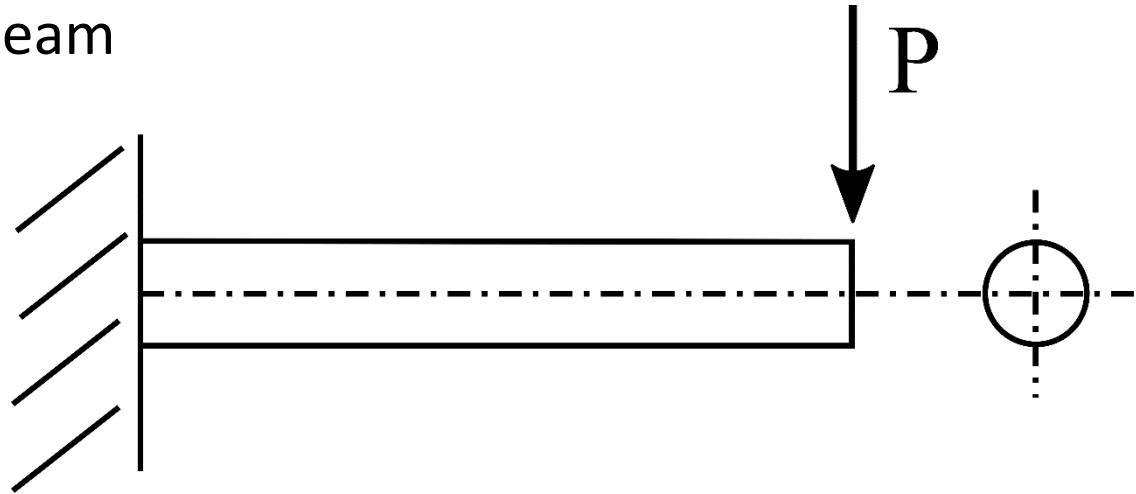


Bending: $\sigma_x = -\frac{My}{I}$

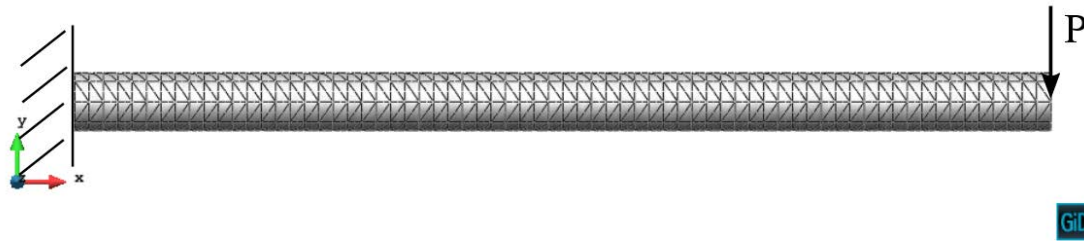


Validation

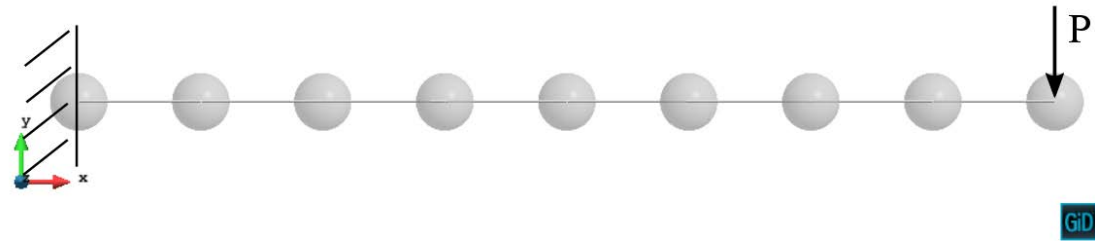
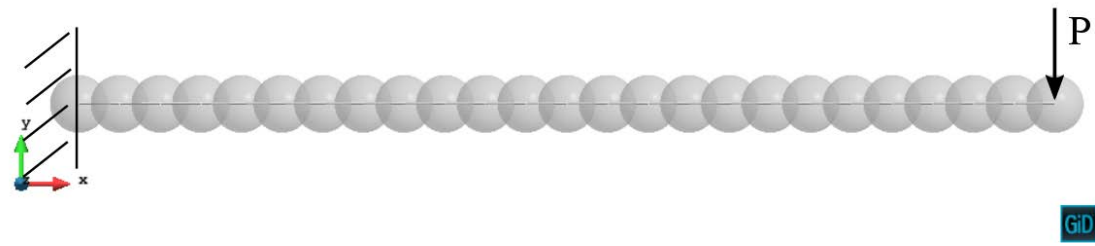
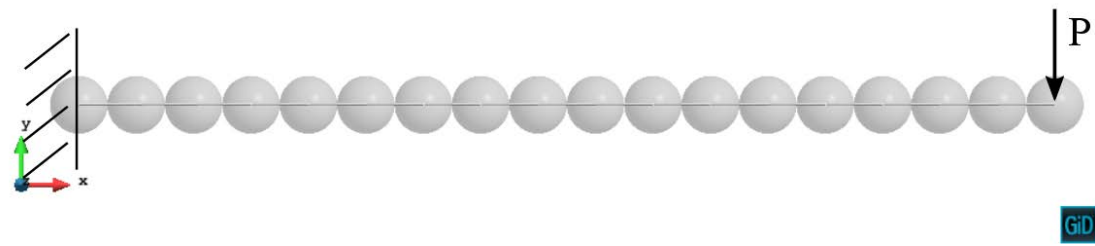
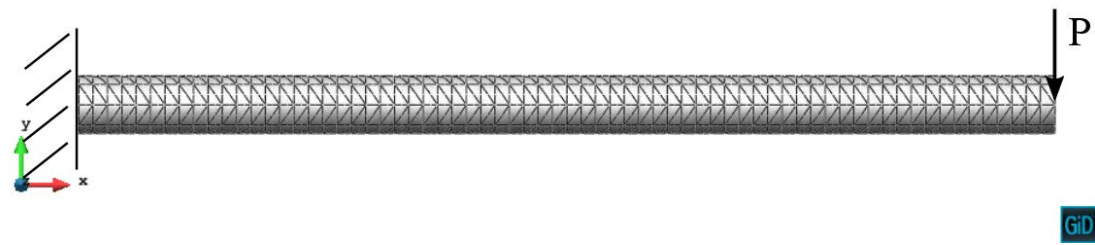
Cantilever beam



Large deformations
Non-linear problem } Analytical solution unknown ⇒ FEM



Numerical modelling with discrete elements of rockfall protection systems

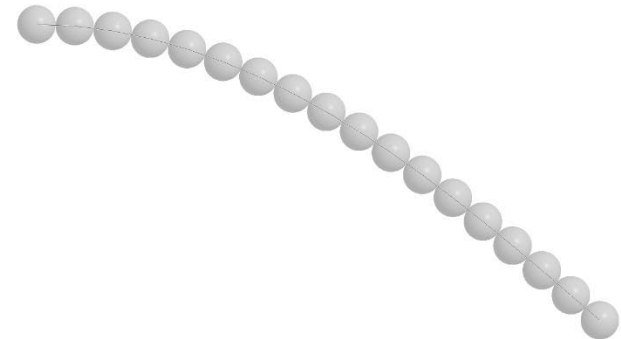
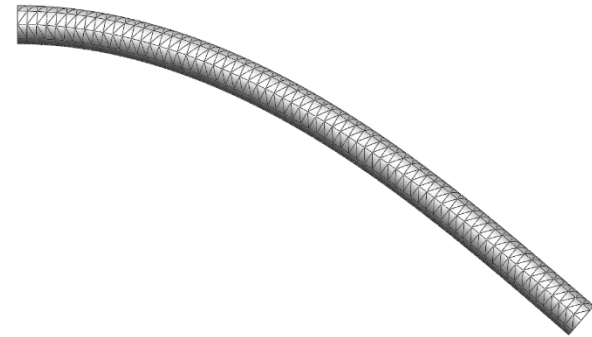


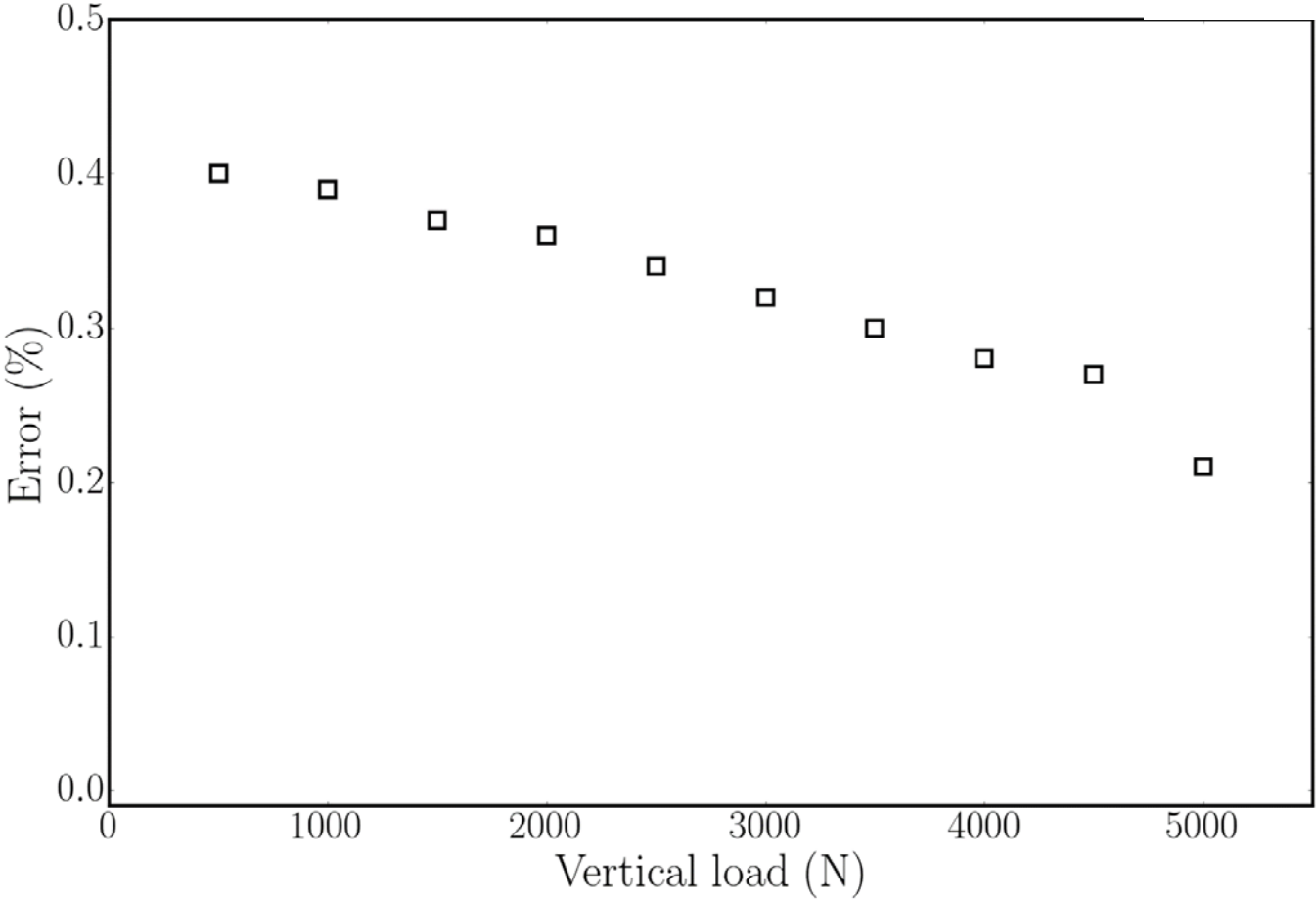
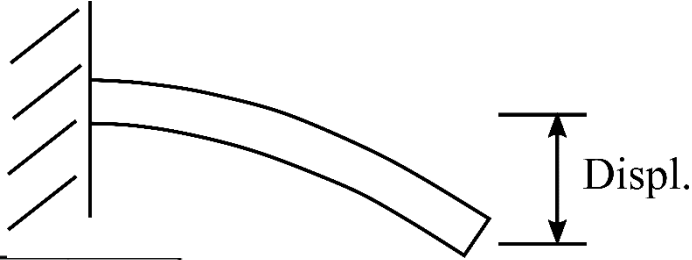
$E = 117.21 \text{ Gpa}$, $\nu = 0.35$, $L = 0.204 \text{ m}$ and $R = 0.006 \text{ m}$

$P = 500 \text{ N}$

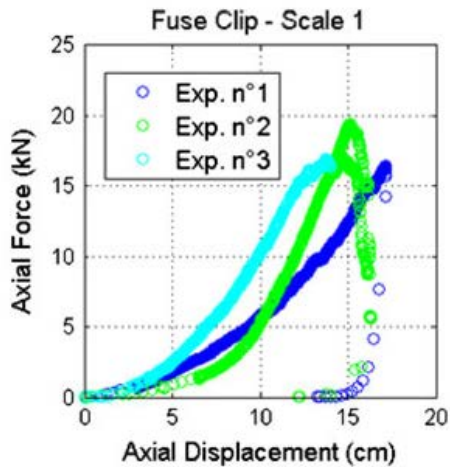
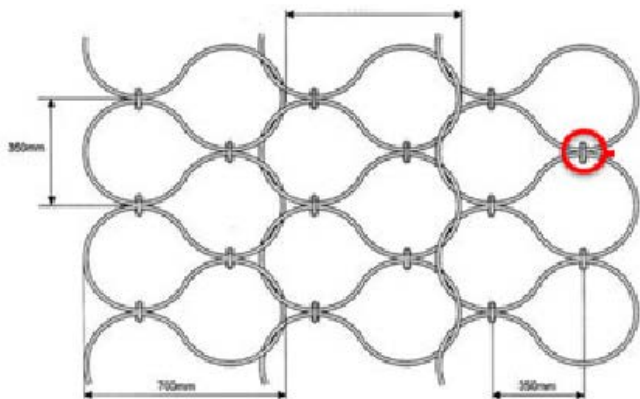
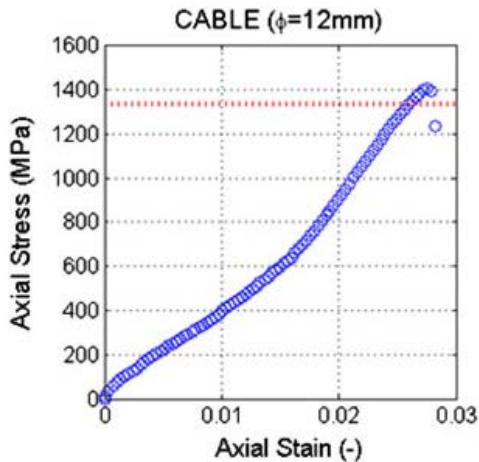


$P = 5000 \text{ N}$



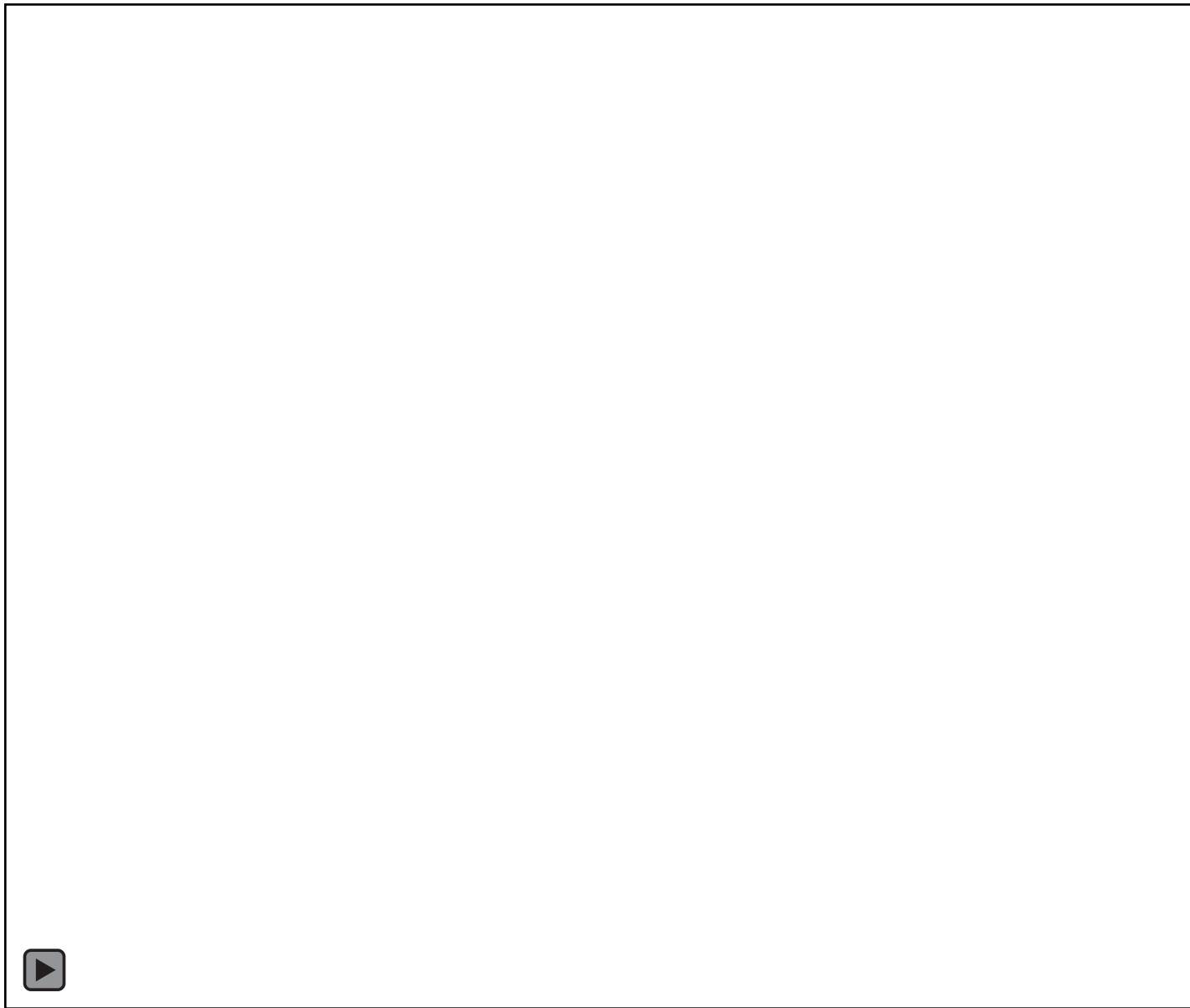


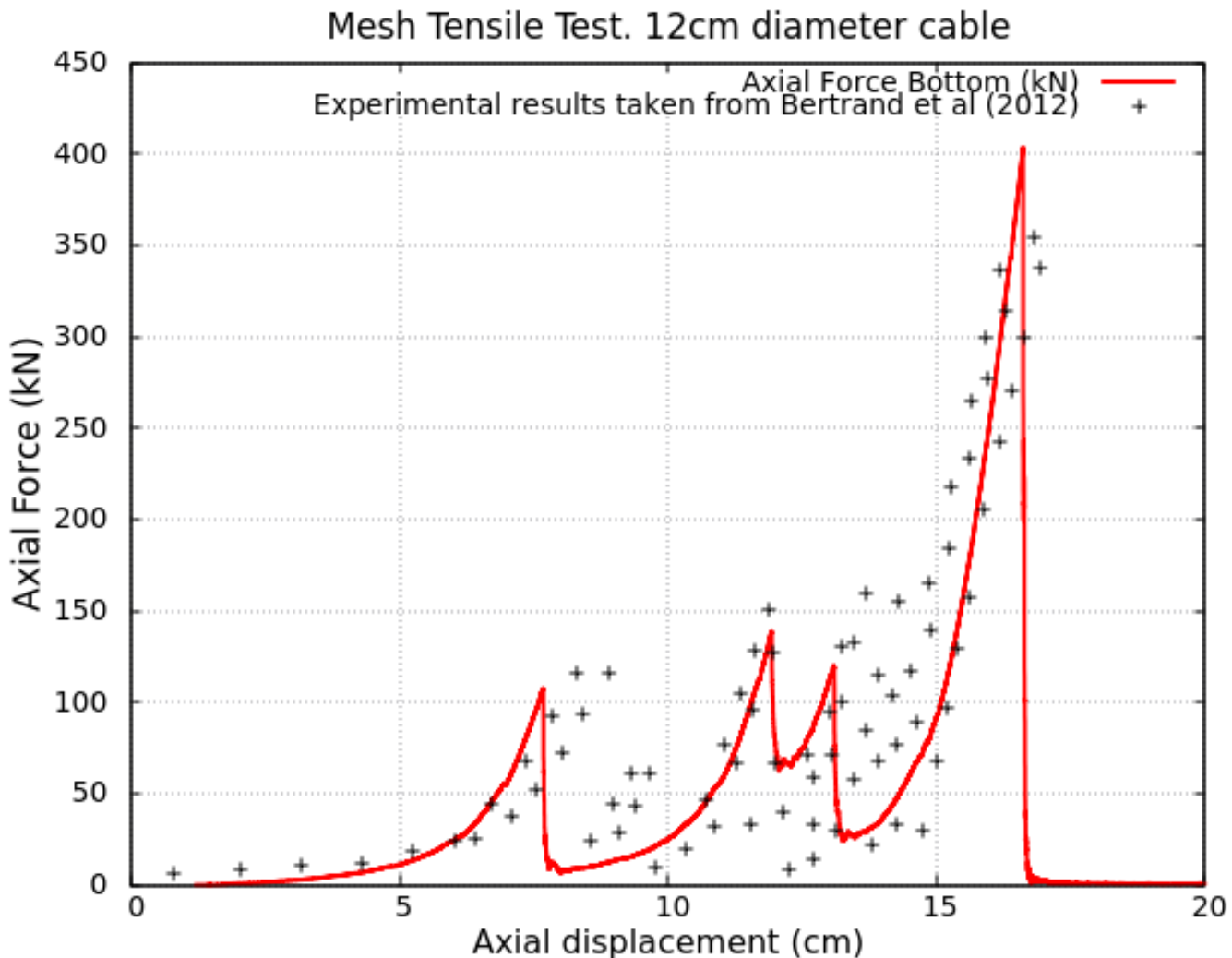
Numerical modelling with discrete elements of rockfall protection systems



Tensile test

Bertrand, D., Trad, A., Limam, A. and Silvani, C., 2012. Full-scale dynamic analysis of an innovative rockfall fence under impact using the discrete element method: from the local scale to the structure scale. *Rock mech rock eng*, 45(5), pp.885-900.





Ongoing work



Punching test



fence under impact using the discrete element method: from the local scale to the structure scale. *Rock mech rock eng*, 45(5), pp.885-900.

Conclusions

The discrete element method seems to be appropriate for evaluating rockfall protection nets behaviour

PROS:

- Allows an efficient calculation of contacts
- For different geometries of the net
- Net junctions can be properly represent

CONS:

- Very high E -> small time step
- Very dynamic phenomenon -> small time step
- Costly simulations (Parallelization helps...)

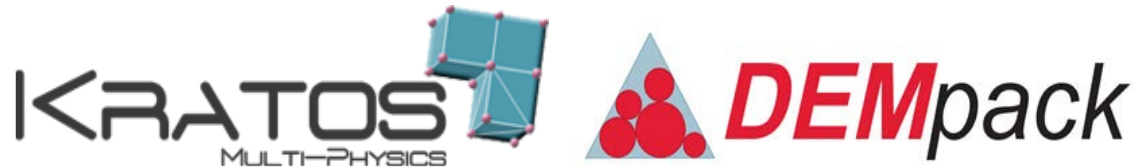


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Thank you for your attention



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