

Sliding Loads and their Effect on the Stress Triaxiality and Lode Parameter Responses of Plates

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Layout

- Motivation
 - Effect of Sliding Ice Loads on Hull Response
- Recent Developments
 - Sliding Load Hull Response
 - Ductile Fracture of Metals
- Current FE Fracture Practice
- Lode and Triaxiality of Plates and Frames subject to Sliding Loads
- Summary

Motivation: Sliding Loads and the Development of Initial Hull Fracture

- Collision & grounding (C&G) scenarios:
 - Much work over last 30 years
 - Various-scale experiments:
 - Plates, grillages, ships, ...
 - Steady-state plate cutting
 - Sliding motion:
 - Rodd (1996): Sled mounted 1/5th scale hull grillage impacting steel cone.
 - Fracture
 - Quinton (2015): Controlled laboratory biaxial indentation of plates and frames.
 - No fracture
 - Nonlinear numerical simulations:
 - Plasticity, fracture, and sometimes complex fluid structure interaction (FSI)
 - Validation:
 - Range: tensile tests to field or laboratory experiments.
 - C&G scenarios often consider hull response to steady-state hull fracture.
 - Where development of initial fracture plays a negligible role in the system energy.
 - Some scenarios may not attain steady-state hull fracture:
 - Ice-strengthened ships/offshore structures
 - Open-water (non-ice class) ships for accidental impact with:
 - Ice, or other soft/blunt objects
 - Grounding on a soft bottom
 - The “impact-to-fracture” phase (i.e. development of hull fracture) generally dominates these scenarios.
 - Does sliding motion affect the initiation of hull fracture?

Relevant Recent Developments

- Path dependent hull response
 - Numerical Prediction: sliding motion affects plastic hull response (Quinton 2008 and Alsos 2008)
 - Experimental confirmation (Quinton 2015)
- Ductile fracture theory for metals
 - Ductile fracture for many metals is a function of triaxiality (Bao & Wierzbicki, 2004)
 - Ductile fracture for some metals is a function of Lode parameter & triaxiality (Bia & Wierzbicki, 2008)
- Finite element codes adopt Lode & triaxiality based fracture models (~2010 ?)

Path Dependent Hull Response: Effect of Sliding Loads?

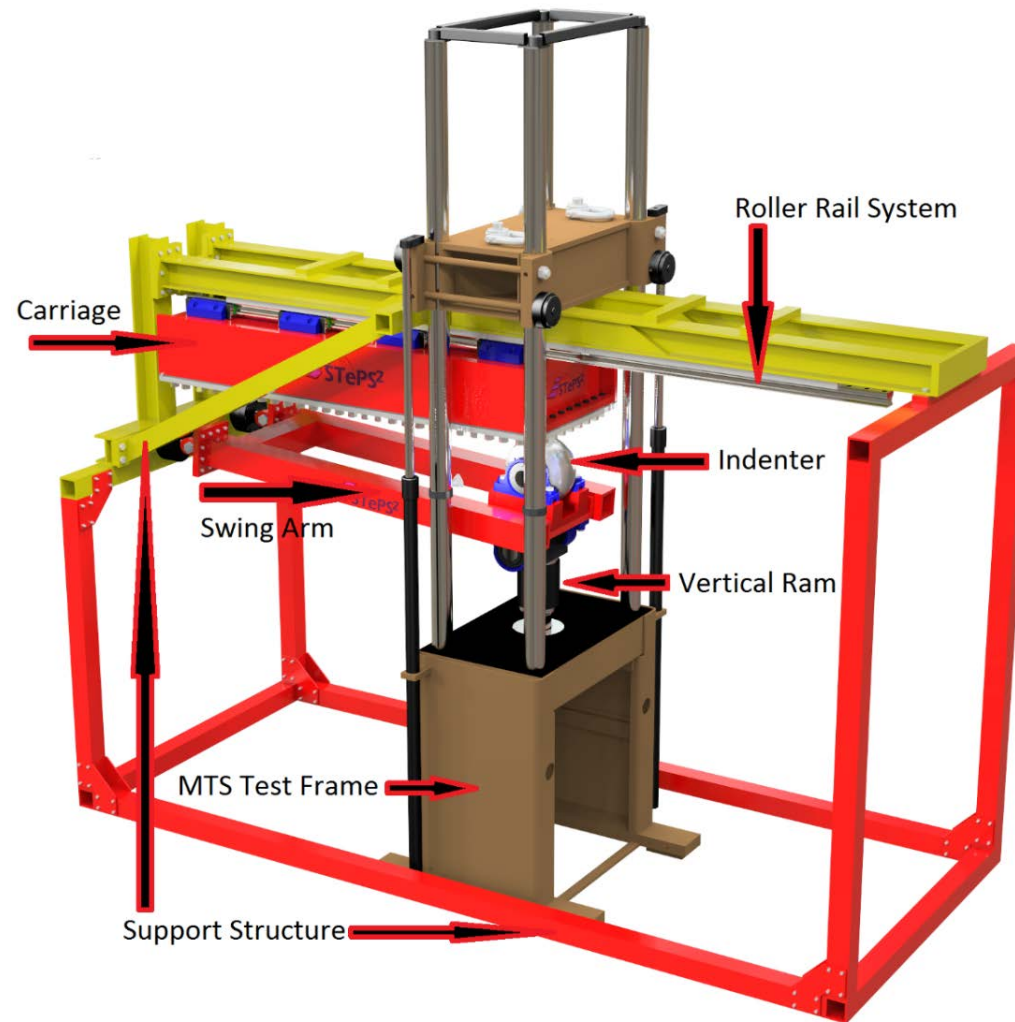
- Ship and offshore structure *design* ice loads are invariably stationary loads.
 - Most often *statically* applied, stationary loads.
 - *Real* ice loads often slide along the hull.
- In 2008, Quinton and separately Alsos, numerically predicted a “reduced hull structural capacity” for sliding loads causing plastic damage.
 - *I.e. path-dependent* hull response.

Quinton (2015) Experimental Confirmation: Effect of Sliding Loads on Hull Response

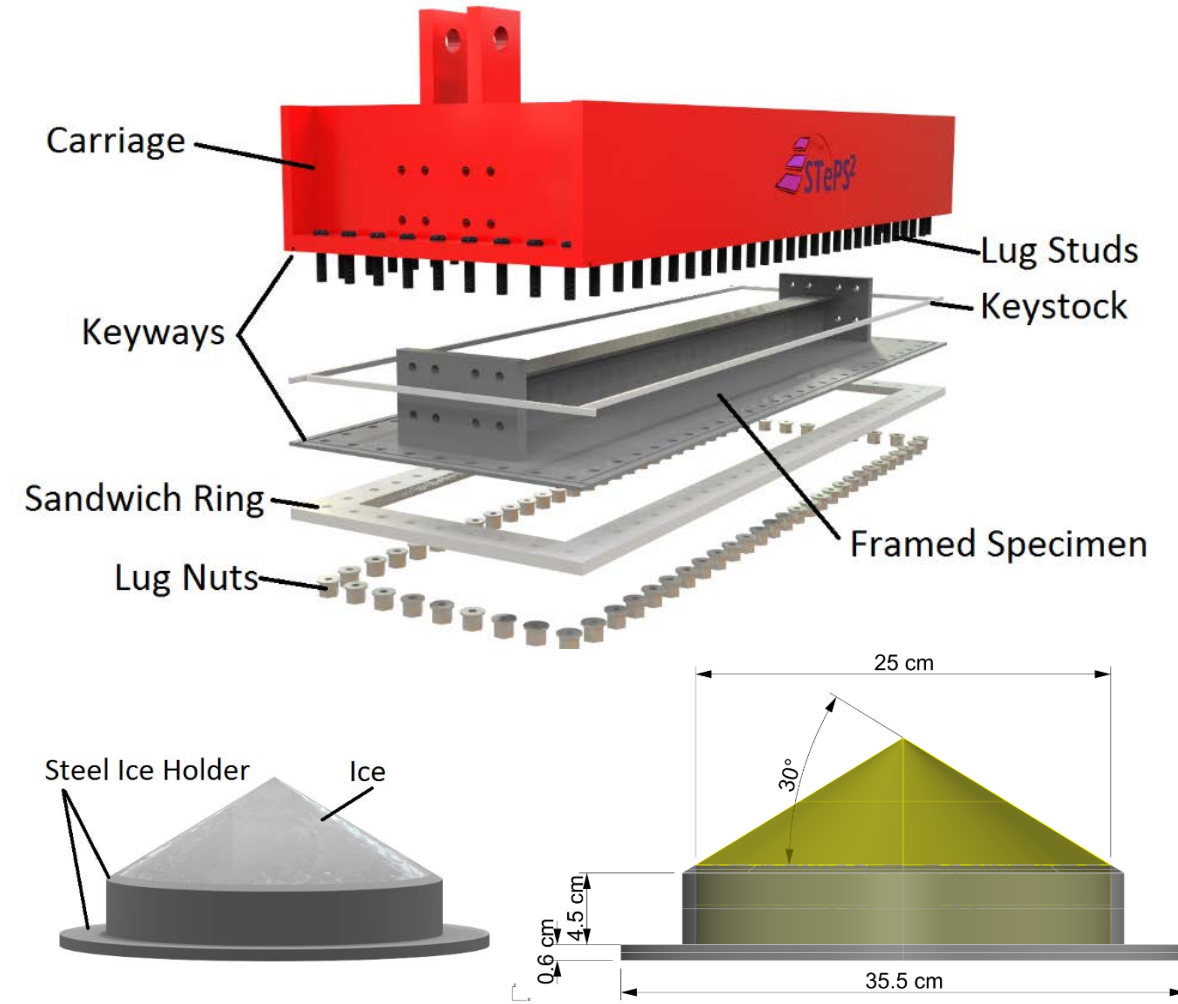
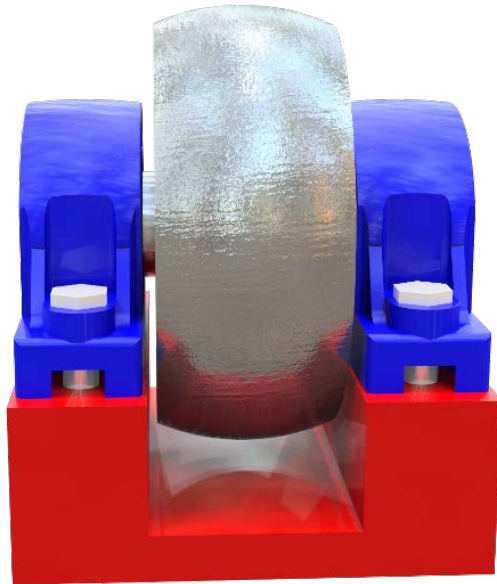
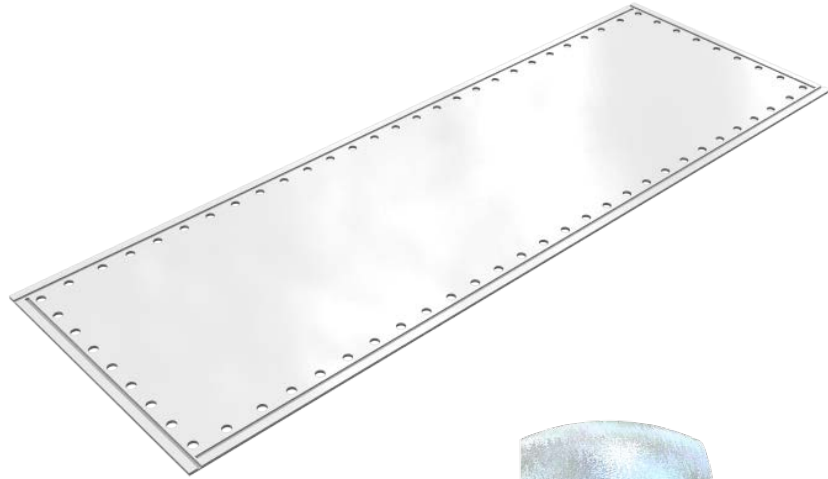
- MLA:
 - Steel plates or single frames subject to biaxial indentation.
 - Simultaneous or sequential “normal direction” indentation and “lateral direction” sliding.
 - It allowed variations in:
 - Indenter type
 - Ambient temperature
 - Loading rate (in both directions).



Moving Load Apparatus



Steel Plates, Carriage, and Indenters



Apparatus & Test Specimen Particulars

MLA Force Capacities

- Vertical Force: 500 kN
- Vertical Stroke: 15 cm
- Maximum Speed: 100 mm/s

- Horizontal Force: 250 kN
- Horizontal Stroke: 1.22 m
- Maximum Speed: 185 mm/s

- Sequential or simultaneous vertical and horizontal motions
 - Sequential for these experiments

Steel Plate Specimens

- Length: 1.65 m
 - 1.5 m useable
- Width: 0.55 m
 - 0.4 useable
- Thicknesses tested:
 - 6.35 mm
 - 12.7 mm

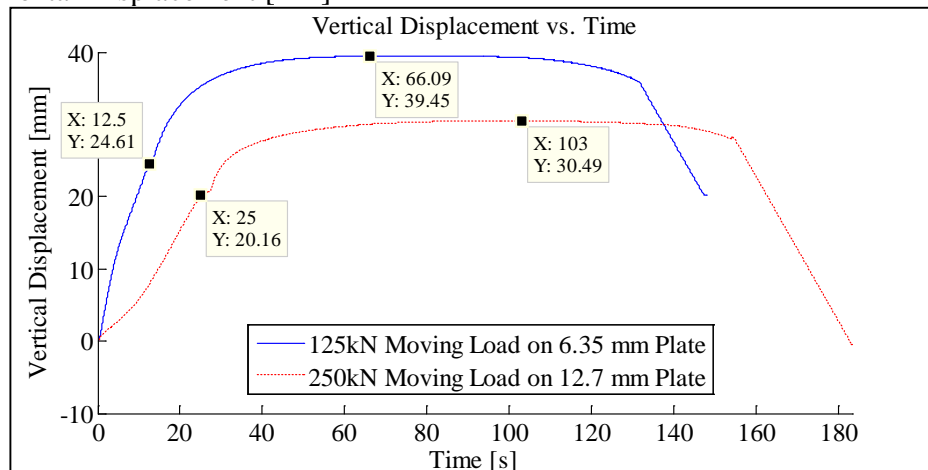
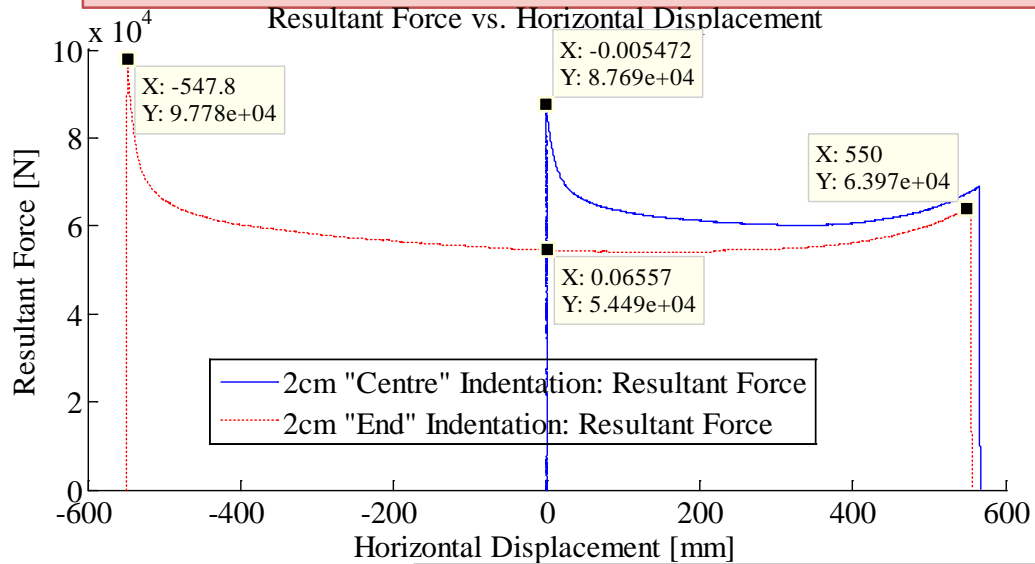
- Material Properties
 - Structural Steel Grade 50W
 - Cold-rolled
 - $\sigma_y = 344 \text{ MPa}$

Load Details

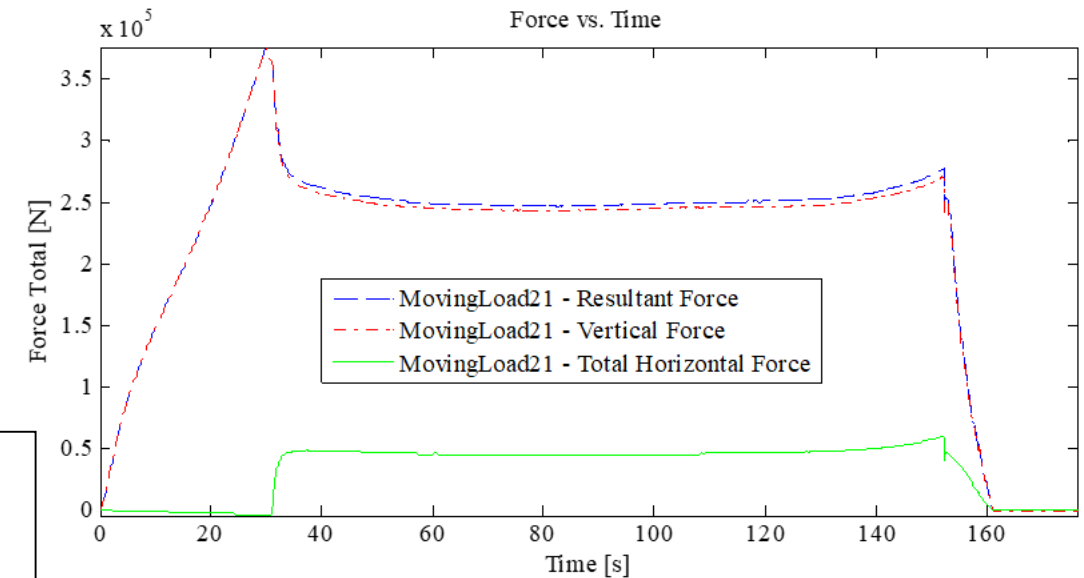
- Rigid Wheel Load Path - “In-Along-Out”
 - Simplest load path so that normal and lateral indentations were decoupled.
 - No friction
 - Except rolling friction between the steel wheel indenter and the plate.
- Displacement control or force control.
- Lateral travel length was from the start position to beyond the +550 mm position (longitudinal direction).

Experiments: Plate & Frame Response to Sliding Loads

Plates



Single Frame



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Recent Developments: Ductile Fracture of Metals

- 2004 – Bao & Wierzbicki (and others) show that the ductile fracture of many metals depends on triaxiality.

- Triaxiality, η

$$\eta = \frac{p}{\sigma_{vm}} = \frac{\frac{1}{3}I_1}{\sqrt{3J_2}}$$

$p = \frac{1}{3}I_1$ is hydrostatic stress

$\sigma_{vm} = \sqrt{3J_2}$ is von Mises equivalent stress

$\eta = +ve$ represents a tensile hydrostatic

stress

- Range of triaxiality:

- Plane stress:

- Shell and some thick-shell elements:

$$-\frac{1}{3} \leq \eta_{shell} \leq \frac{1}{3}$$

- 3D stress

- Solid and some thick shell elements:

$$-\infty \leq \eta_{solid} \leq \infty$$

- but practically:

$$-1 \leq \eta_{solid} \leq 1$$

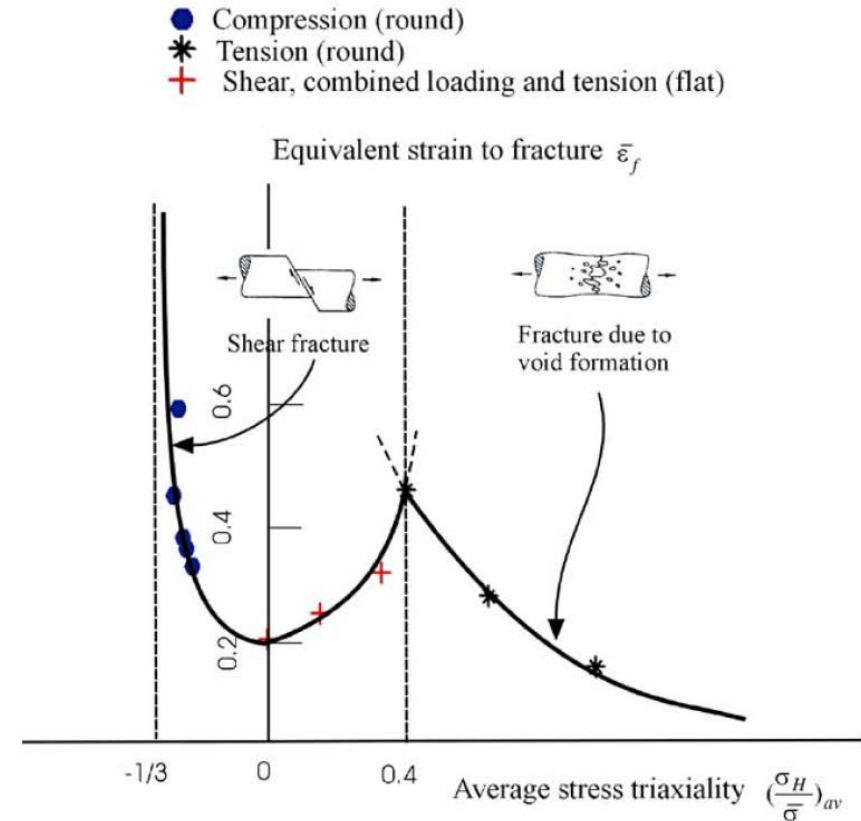


Fig. 20. Dependence of the equivalent strain to fracture on the stress triaxiality.

Figure reproduced from:

Bao & Wierzbicki, 2004. On fracture locus in the equivalent strain and stress triaxiality space. Int. Journal of Mech. Sci., vol. 46, pp. 81-98.

Recent Developments: Ductile Fracture of Metals

- 2008 – Bai & Wierzbicki showed that the ductile fracture of some metals depends on triaxiality and Lode parameter.

- Lode angle, θ_l

$$\theta_l = \frac{1}{3} \cos^{-1} \left[\frac{3\sqrt{3}}{2} \left(\frac{J_3}{J_2^{(3/2)}} \right) \right]$$

for $0 \leq \theta_l \leq \frac{\pi}{3}$

- Or Lode parameter, ξ

$$\xi = \frac{3\sqrt{3}}{2} \left(\frac{J_3}{J_2^{(3/2)}} \right)$$

where $-1 \leq \xi \leq 1$

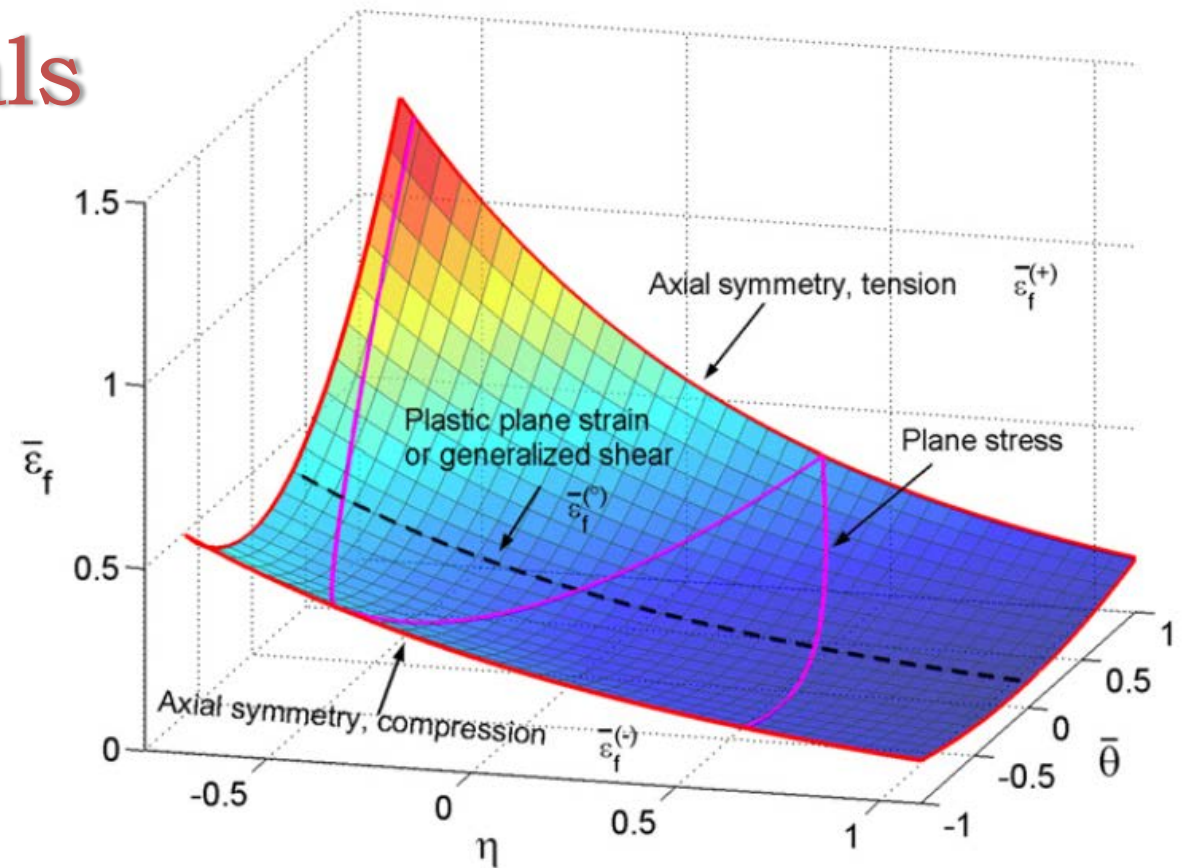


Fig. 15. A newly postulated 3D asymmetric fracture locus.

Figure reproduced from:

Bai & Wierzbicki, 2008. A new model of metal plasticity and fracture with pressure and Lode dependence. Int. Journal of Plasticity, vol. 24, pp 1071-1096.

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Current FE Fracture Modeling Practice

- Fracture by material model
 - Failure strain (effective plastic strain)
 - Simple input: fracture strain
 - Failure strain vs. triaxiality
 - Curve of failure strain vs. triaxiality
 - Failure strain vs. triaxiality vs. Lode parameter
 - Table of curves of failure strain vs. triaxiality for various Lode parameters
 - Other failure criteria ...
 - Variations on these for strain-rate and temperature
 - ...
- Types beyond the scope of this presentation:
 - Cohesive elements
 - Usually zero-volume elements
 - Connects adjacent “normal” elements
 - Disappear when failure criterion/criteria met
 - Other non-traditional FE types:
 - SPH – Smoothed Particle Hydrodynamics
 - DEM – Discrete Element Method
 - EFG – Element Free Galerkin Method
 - XFEM – Extended FE Method

Simulation Results:

Lode and Triaxiality of Plates subject to Sliding Loads

Significant States of Stress

- Stationary Load Results
 - No compression zones (i.e. -ve triaxiality).
 - No uniaxial tension or pure shear in way of the indenter.
 - No plastic plane strain tension.
 - Identified zones of:
 - Equi-biaxial Plane Stress Tension
- Sliding Load Results (frictionless)
 - There are compressive zones.
 - No uniaxial tension or pure shear in way of the indenter.
 - Identified zones of:
 - Equi-biaxial Plane Stress Tension
 - Plastic Plane Strain Tension

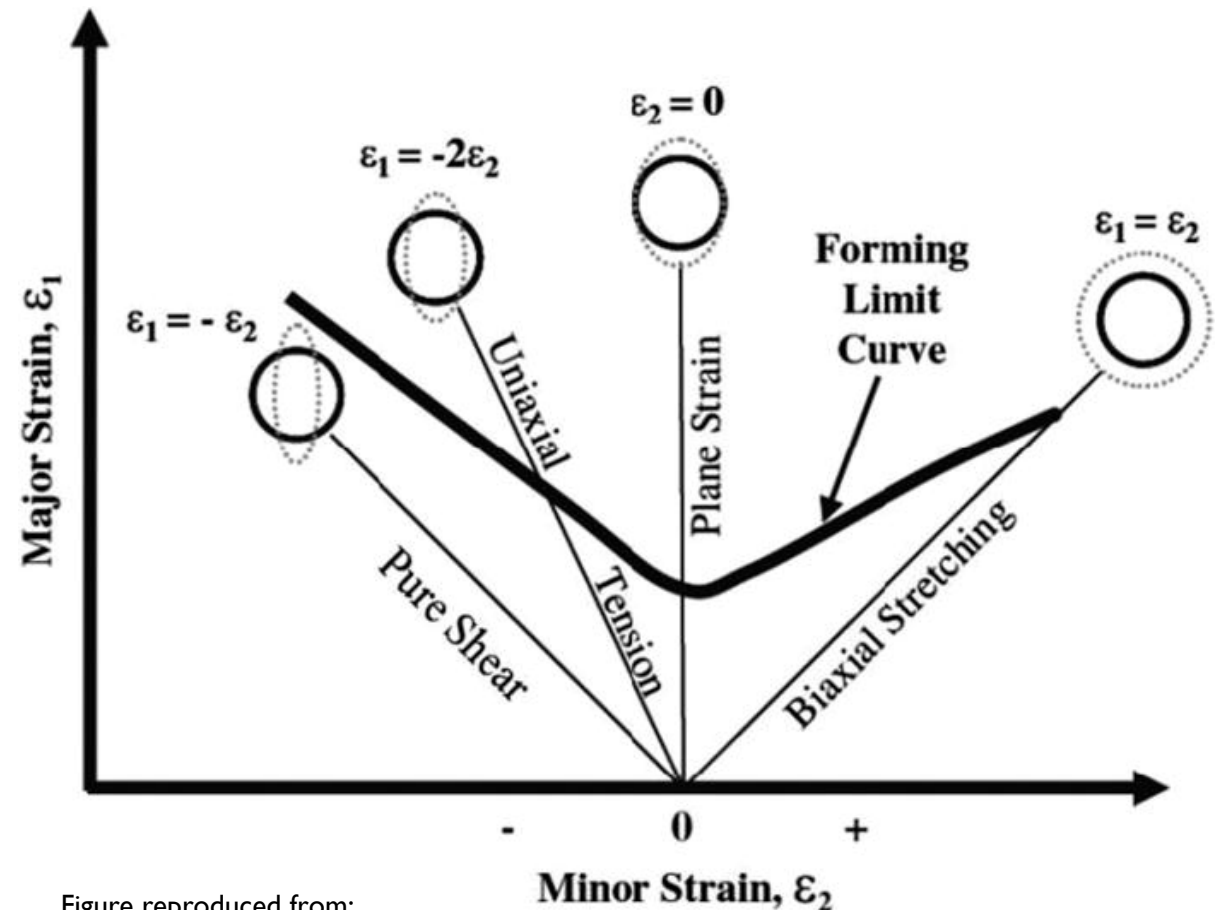


Figure reproduced from:
Hasan, RZ., Kinsey, BL., and Tsukrov, I., 2011. Effect of Element Types on Failure Prediction Using a Stress-Based Forming Limit Curve. J. Manuf. Sci. Eng. 133(6).

Stationary Load: Equi-biaxial Plane Stress Tension

Stationary Load - Triaxiality

Quarter Inch Sample

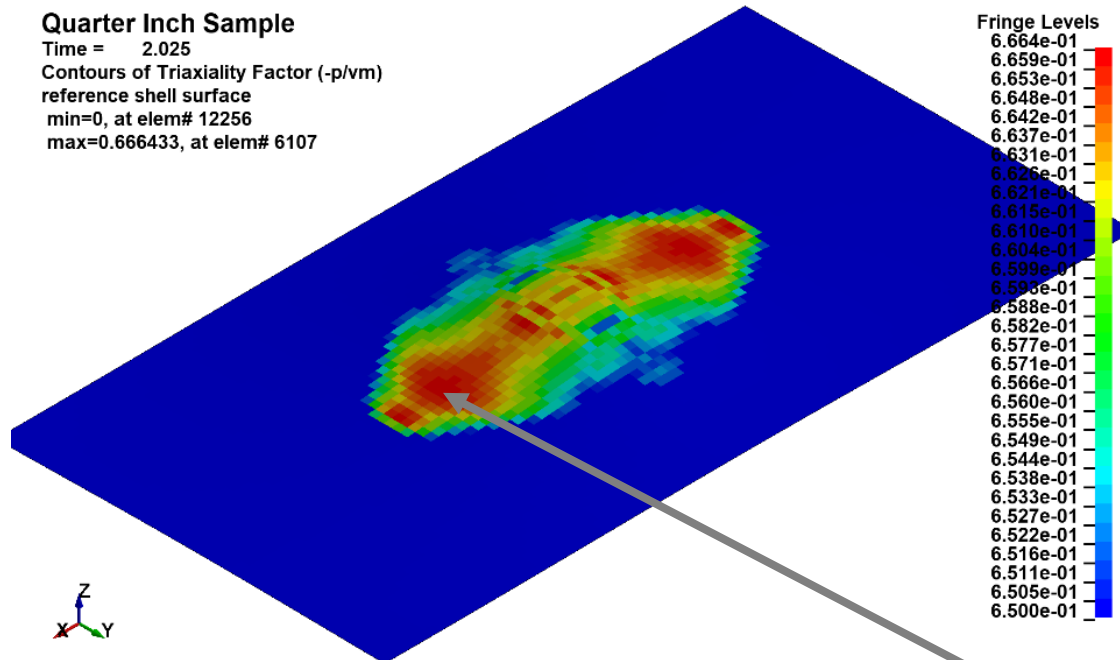
Time = 2.025

Contours of Triaxiality Factor (-p/vm)

reference shell surface

min=0, at elem# 12256

max=0.666433, at elem# 6107



Stationary Load – Lode Parameter

Quarter Inch Sample

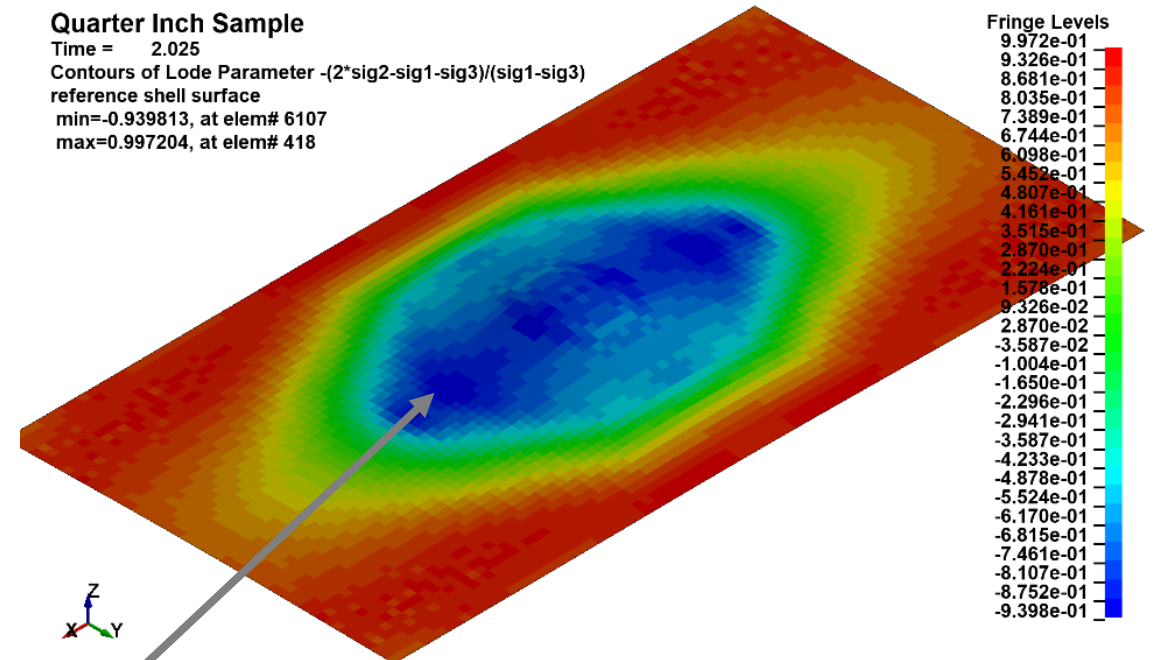
Time = 2.025

Contours of Lode Parameter $-(2 \cdot \sigma_2 - \sigma_1 - \sigma_3) / (\sigma_1 - \sigma_3)$

reference shell surface

min=-0.939813, at elem# 6107

max=0.997204, at elem# 418



Triaxiality: $2/3$

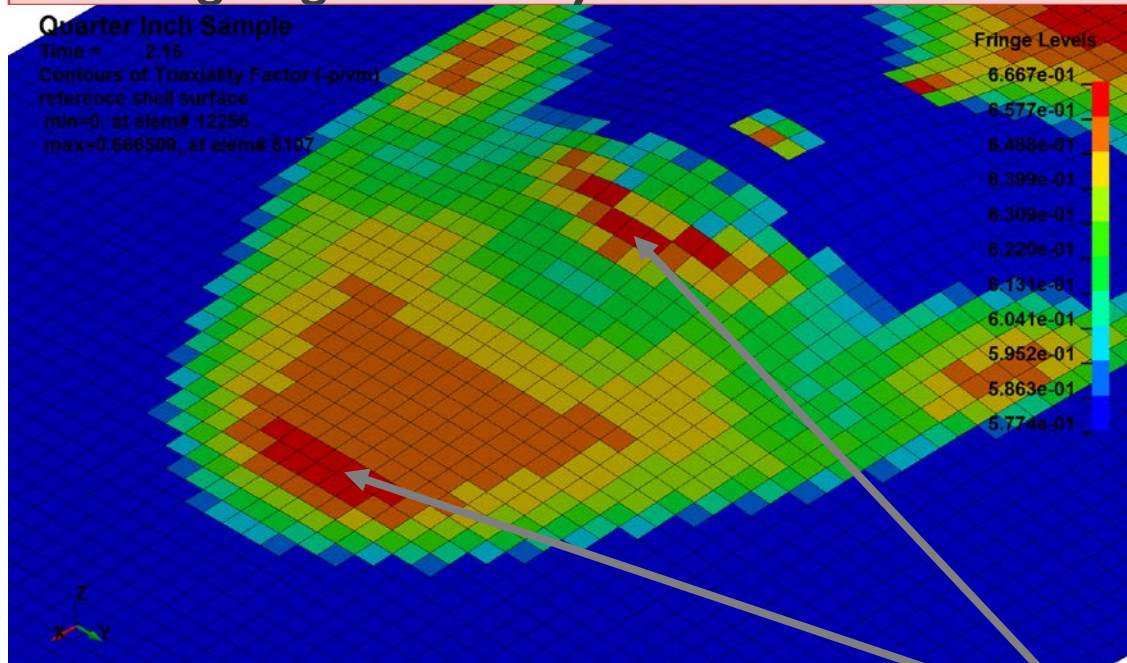
Equi-biaxial Plane Stress Tension

Lode Parameter: -1

Sliding Load: Equi-biaxial Plane Stress Tension

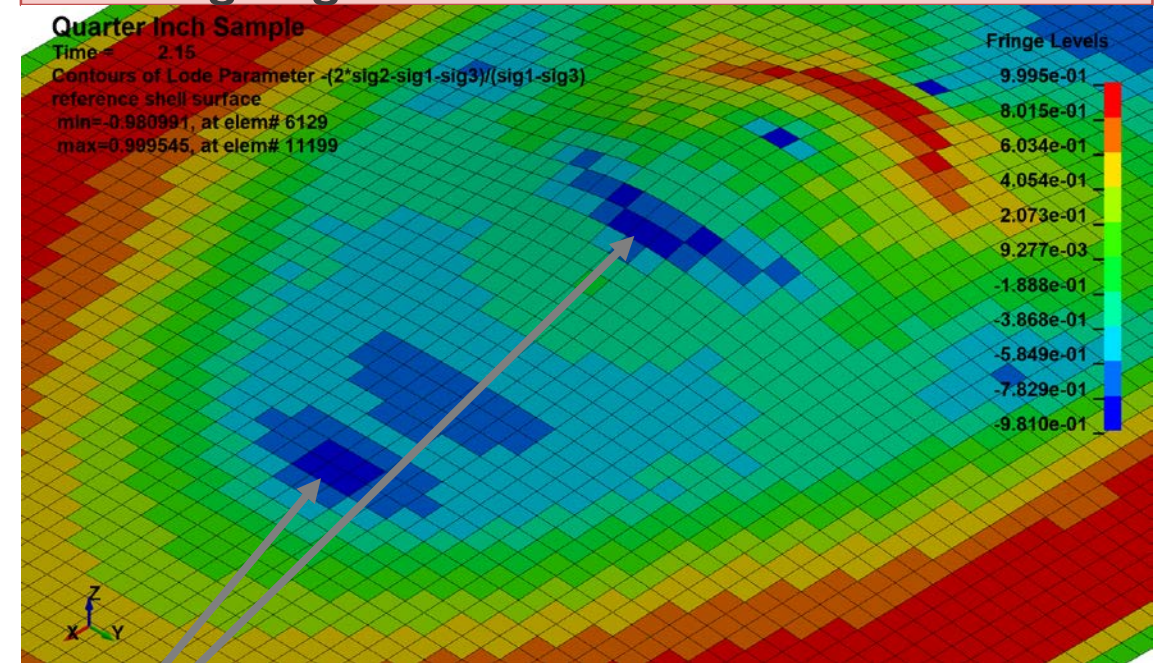
Moving Load:

Leading Edge Triaxiality



Moving Load:

Leading Edge Lode Parameter



Triaxiality: $2/3$

Lode Parameter: -1

Equibiaxial Plane Stress Tension

Sliding Load: Plastic Plane Strain Tension

Moving Load: Leading Edge Triaxiality

Quarter Inch Sample

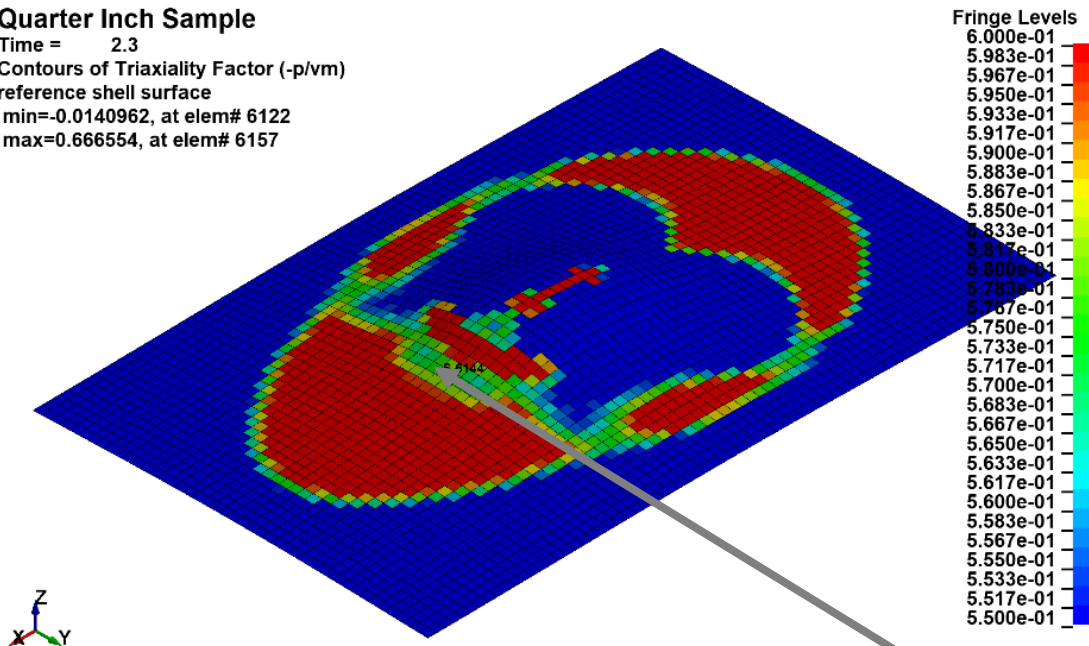
Time = 2.3

Contours of Triaxiality Factor (-p/vm)

reference shell surface

min=-0.0140962, at elem# 6122

max=0.666554, at elem# 6157



Moving Load: Leading Edge Lode Parameter

Quarter Inch Sample

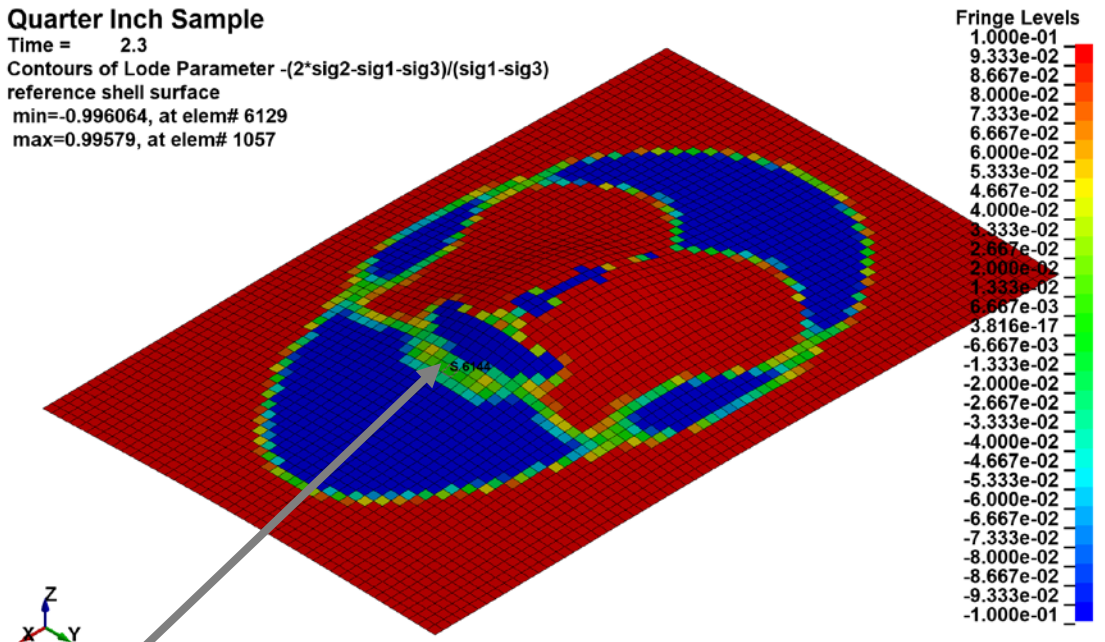
Time = 2.3

Contours of Lode Parameter $-(2*\sigma_2 - \sigma_1 - \sigma_3)/(\sigma_1 - \sigma_3)$

reference shell surface

min=-0.996064, at elem# 6129

max=0.99579, at elem# 1057



Triaxiality: $\frac{\sqrt{3}}{3}$

Lode Parameter: 0

Plastic Plane Strain Tension

Comparison with Solid Elements

Quarter Inch Sample

Time = 2.25

Contours of Lode Parameter $-(2*\sigma_2 - \sigma_1 - \sigma_3)/(\sigma_1 - \sigma_3)$

min=-0.997676, at elem# 3482979

max=0.999851, at elem# 2290881

12,255 1:1:1 Shell
Elements

67,071 Non-ideally
Shaped Solid Elements

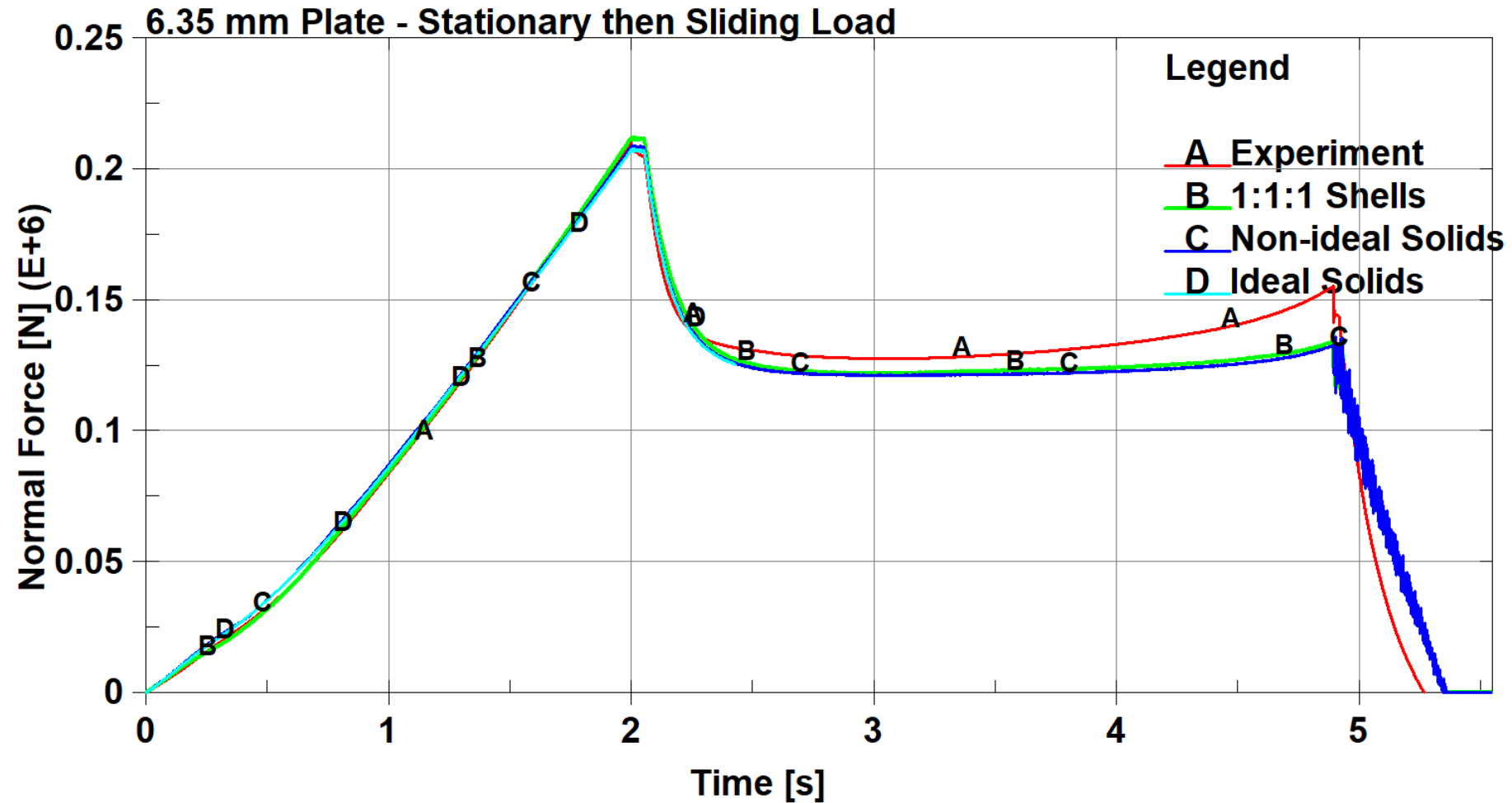
1,858,396 Ideally
Shaped Solid Elements

Fringe Levels

1.000e-01
9.333e-02
8.667e-02
8.000e-02
7.333e-02
6.667e-02
6.000e-02
5.333e-02
4.667e-02
4.000e-02
3.333e-02
2.667e-02
2.000e-02
1.333e-02
6.667e-03
3.816e-17
-6.667e-03
-1.333e-02
-2.000e-02
-2.667e-02
-3.333e-02
-4.000e-02
-4.667e-02
-5.333e-02
-6.000e-02
-6.667e-02
-7.333e-02
-8.000e-02
-8.667e-02
-9.333e-02
-1.000e-01



Validation: Comparison with Experiment



Summary

- It is clear that there is a change in the state of stress due to indenter motion.
- For sliding loads, fracture will occur on the leading side of the indenter.
 - Whereas for stationary loads, its fracture location is often less certain.
- For a material that is not sensitive to Lode parameter, onset of fracture may be predicted correctly for either stationary or moving loads.
- For a material that is sensitive to Lode parameter, onset of fracture may not be predicted correctly by triaxiality alone, for moving loads.

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 - BMT Fleet Technology Ltd.
 - Husky Energy
 - Rolls-Royce
 - Samsung Heavy Industries
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Thank you

Questions?